Dynamical Systems & Automotive Components

MIT/TRI Project: Interlock for Self Driving Cars

25 April 2018
Soonho Kong
Caution:

This presentation is based on the Drake version as of 25 April 2018
and it could be outdated from the current master.
Automotive Demo
$ bazel run automotive:demo -- \
   --num_dragway_lanes=2 \
   --num_trajectory_car=2 \
   --num_mobil_car=1
$ bazel run automotive:demo -- \
  --num_dragway_lanes=2 \n  --num_trajectory_car=2 \n  --num_mobil_car=1
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--num_mobil_car=1
$ bazel run automotive:demo --
   --num_dragwaylanes=2
   --num_trajectory_car=2
   --num_mobil_car=1
Dynamical Systems
Dynamical Systems
(Continuous)

\[ \dot{x} = f(t, x, u, p) \]
\[ y = g(t, x, u, p) \]
Drake System Architecture

Include all the information needed to simulate a system at a given time step:
- Time, State, Input, Parameter

System : Context \(\rightarrow\) Computation

Including:
- Time Derivatives (continuous part),
- State Updates (discrete part),
- Output,
- ...

System = Stateless/Immutable Function
Drake System Architecture

// Simple Continuous Time System
//   xdot = -x + x^3
//   y = x
class SimpleContinuousTimeSystem : public drake::systems::VectorSystem<double> {
  public:
    SimpleContinuousTimeSystem() : drake::systems::VectorSystem<double>(0, 1) {
      // Zero inputs.
      // One output.
      this->DeclareContinuousState(1);
    }
  
  private:
    // xdot = -x + x^3
    virtual void DoCalcVectorTimeDerivatives(const drake::systems::Context<double>& context,
      const Eigen::VectorBlock<const Eigen::VectorXd>& input,
      const Eigen::VectorBlock<const Eigen::VectorXd>& state,
      Eigen::VectorBlock<Eigen::VectorXd>* derivatives) const {
      (*derivatives)(0) = -state(0) + std::pow(state(0), 3.0);
    }
    
    // y = x
    virtual void DoCalcVectorOutput(const drake::systems::Context<double>& context,
      const Eigen::VectorBlock<const Eigen::VectorXd>& input,
      const Eigen::VectorBlock<const Eigen::VectorXd>& state,
      Eigen::VectorBlock<Eigen::VectorXd>* output) const {
      *output = state;
    }
};

https://github.com/RobotLocomotion/drake/blob/master/examples/simple_continuous_time_system.cc
Drake System Architecture

```cpp
// Create the simple system.
SimpleContinuousTimeSystem system;

// Create the simulator.
drake::systems::Simulator<double> simulator(system);

// Set the initial conditions x(0).
   drake::systems::ContinuousState<double>& state =
       simulator.get_mutable_context().get_mutable_continuous_state();
   state[0] = 0.9;

// Simulate for 10 seconds.
simulator.StepTo(10);

// Make sure the simulation converges to the stable fixed point at x=0.
DRAKE_DEMAND(state[0] < 1.0e-4);
```
Templated System Framework

System<T> where T can be:

- double for Simulation / Testing
Templated System Framework

System<T> where T can be:

- double for Simulation / Testing
- AutoDiff for Optimization-based Analysis & Design
Templated System Framework

System<T> where T can be:

- double for Simulation / Testing
- AutoDiff for Optimization-based Analysis & Design
- symbolic::Expression for Symbolic Analysis & Verification (e.g. SMT)

\[ f(x) = x^3 + 4x^2 - 5x + 6 \]
Diagram

\[ u \rightarrow \text{MultibodySystem (M)} \rightarrow y_b = h(x, u) \]
\[ \dot{x} = f(t, x, u) \]
\[ y_a = g(x) \]
\[ \text{Controller (C)} \]
\[ y_c = u^* - K(x - x^*) \]

Diagram = A Graph of Systems = A System

Photo Credit: Alejandro Castro © TRI
Diagram Builder

```cpp
DiagramBuilder<double> builder;
adder0_ = builder.AddSystem<Adder<double>>(2 /* inputs */, size);
adder0_->set_name("adder0");
adder1_ = builder.AddSystem<Adder<double>>(2 /* inputs */, size);
adder1_->set_name("adder1");
adder2_ = builder.AddSystem<Adder<double>>(2 /* inputs */, size);
adder2_->set_name("adder2");
stateless_ = builder.AddSystem<analysis_test::StatelessSystem<double>>(
    1.0 /* trigger time */,
    WitnessFunctionDirection::kCrossesZero);
stateless_->set_name("stateless");

integrator0_ = builder.AddSystem<Integrator<double>>(size);
integrator0_->set_name("integrator0");
integrator1_ = builder.AddSystem<Integrator<double>>(size);
integrator1_->set_name("integrator1");
```

Diagram Builder

```
builder.Connect(add0_.get_output_port(), add1_.get_input_port(0));
builder.Connect(add0_.get_output_port(), add2_.get_input_port(0));
builder.Connect(add1_.get_output_port(), add2_.get_input_port(1));

builder.Connect(add0_.get_output_port(),
                integr0_.get_input_port());
builder.Connect(integr0_.get_output_port(),
                integr1_.get_input_port());
```

Diagram Builder

```cpp
builder.ExportInput(adder0_->get_input_port(0));
builder.ExportInput(adder0_->get_input_port(1));
builder.ExportInput(adder1_->get_input_port(1));
builder.ExportInput(adder1_->get_input_port(1));
builder.ExportInput(adder1_->get_output_port());
builder.ExportOutput(adder2_->get_output_port());
builder.ExportOutput(integrator1_->get_output_port());

diagram_ = builder.Build();
```
Automotive Systems
Goal: Demystify Automotive Demo

$ bazel run automotive:demo -- \
  --num_dragway_lanes=2 \ 
  --num_trajectory_car=2 \ 
  --num_mobil_car=1
Automotive Plants

Collaboration diagram for Automotive Plants:

Classes

- **BicycleCar< T >**
  - BicycleCar implements a nonlinear rigid body bicycle model from Althoff & Dolan (2014) [1]. More...

- **MaliputRailcar< T >**
  - MaliputRailcar models a vehicle that follows a `maliput::api::Lane` as if it were on rails and neglecting all physics. More...

- **SimpleCar< T >**
  - SimpleCar models an idealized response to driving commands, neglecting all physics. More...

- **SimplePowertrain< T >**
  - SimplePowertrain models a powertrain with first-order lag. More...

- **TrajectoryCar< T >**
  - TrajectoryCar models a car that follows a pre-established trajectory. More...

Detailed Description

Actuated System models related to automotive software.
SimpleCar

State

\begin{itemize}
  \item \textbf{x}
  \item \textbf{y}
  \item \textbf{θ}
\end{itemize}

\begin{verbatim}
element {
    name: "x"
    doc: "x"
    default_value: "0.0"
}
element {
    name: "y"
    doc: "y"
    default_value: "0.0"
}
element {
    name: "heading"
    doc: "heading"
    default_value: "0.0"
}
element {
    name: "velocity"
    doc: "velocity"
    default_value: "0.0"
}
\end{verbatim}

https://github.com/RobotLocomotion/drake/blob/master/automotive/simple_car_state.named_vector
namespace: "drake::automotive"

# The defaults in this file approximate a 2010 Toyota Prius.

```

## wheelbase
name: "wheelbase"
doc: "The distance between the front and rear axles of the vehicle."
doc_units: "m"
default_value: "2.700"
min_value: "0.0"
```

```

## track
name: "track"
doc: "The distance between the center of two wheels on the same axle."
doc_units: "m"
default_value: "1.521"
min_value: "0.0"
```

```

## max_abs_steering_angle
name: "max_abs_steering_angle"
doc: "The limit on the driving_command.steering_angle input (the desired steering angle of a virtual center wheel); this element is applied symmetrically to both left- and right-turn limits."
doc_units: "rad"
default_value: "0.471"  # 27 degrees.
min_value: "0.0"
```

```

## max_velocity
name: "max_velocity"
doc: "The limit on the car's forward speed."
doc_units: "m/s"
default_value: "45.0"
min_value: "0.0"
```

```

## max_acceleration
name: "max_acceleration"
doc: "The limit on the car's acceleration and deceleration."
doc_units: "m/s^2"
default_value: "4.0"
min_value: "0.0"
```

```

## velocity_limit_kp
name: "velocity_limit_kp"
doc: "The smoothing constant for min/max velocity limits."
doc_units: "Hz"
default_value: "10.0"
min_value: "0.0"
```
namespace: "drake::automotive"

element {
    name: "steering_angle"
    doc: "The desired steering angle of a virtual center wheel, positive results in the vehicle turning left."
    doc_units: "rad"
    default_value: "0.0"
}

element {
    name: "acceleration"
    doc: "The signed acceleration, positive means speed up; negative means slow down, but should not move in reverse."
    doc_units: "m/s^2"
    default_value: "0.0"
}
SimpleCar

Output

1. State vector: Position (x, y, heading)
   + Velocity
SimpleCar

Output

1. State vector: Position (x, y, heading) + Velocity
2. PoseVector (7D)
   Translation (3D) + Rotation (4D)

```cpp
template <typename T>
void SimpleCar<T>::CalcPose(const systems::Context<T>& context, PoseVector<T>* pose) const {
    const SimpleCarState<T>& state = get_state(context);
    pose->set_translation(Eigen::Translation<T, 3>(state.x(), state.y(), 0));
    const Vector3<T> z_axis{0.0, 0.0, 1.0};
    const Eigen::AngleAxis<T> rotation(state.heading(), z_axis);
    pose->set_rotation(Eigen::Quaternion<T>(rotation));
}
```

https://github.com/RobotLocomotion/drake/blob/master/automotive/simple_car.cc
Output

1. State vector: Position \((x, y, \text{heading})\) + Velocity
2. PoseVector (7D)
3. FrameVelocity (6D)

Derivatives of \(x\)-y-z translation (3D) + the derivatives of \(x\)-y-z rotation (3D)

```cpp
template <typename T>
void SimpleCar<T>::CalcVelocity(
    const systems::Context<T>& context,
    systems::rendering::FrameVelocity<T>* velocity) const {
    const SimpleCarState<T>& state = get_state(context);
    const T nonneg_velocity = max(T(0), state.velocity());

    // Convert the state derivatives into a spatial velocity.
    multibody::SpatialVelocity<T> output;
    output.translational().x() = nonneg_velocity * cos(state.heading());
    output.translational().y() = nonneg_velocity * sin(state.heading());
    output.translational().z() = T(0);
    output.rotational().x() = T(0);
    output.rotational().y() = T(0);
    // The rotational velocity around the z-axis is actually rates.heading(),
    // which is a function of the input steering angle. We set it to zero so that
    // this system is not direct-feedthrough.
    output.rotational().z() = T(0);
    velocity->set_velocity(output);
}
```

https://github.com/RobotLocomotion/drake/blob/master/automotive/simple_car.cc
template<typename T>
void SimpleCar<T>::ImplCalcTimeDerivatives(const SimpleCarParams<T>& params,
                                          const SimpleCarState<T>& state,
                                          const DrivingCommand<T>& input,
                                          SimpleCarState<T>* rates) const {

    using std::abs;
    using std::cos;
    using std::max;
    using std::sin;

    // Sanity check our input.
    DRAKE_DEMAND(abs(input.steering_angle()) < M_PI);

    // Compute the smooth acceleration that the vehicle actually executes.
    const T desired_acceleration = input.acceleration();
    const T smooth_acceleration =
        calc_smooth_acceleration(desired_acceleration, params.max_velocity(),
                                  params.velocity_limit_kp(), state.velocity());

    // Determine steering.
    const T saturated_steering_angle =
        math::saturate(input.steering_angle(), -params.max_abs_steering_angle(),
                        params.max_abs_steering_angle());
    const T curvature = tan(saturated_steering_angle) / params.wheelbase();

    // Don't allow small negative velocities to affect position or heading.
    const T nonneg_velocity = max(T(0), state.velocity());

    rates->set_x(nonneg_velocity * cos(state.heading()));
    rates->set_y(nonneg_velocity * sin(state.heading()));
    rates->set_heading(curvature * nonneg_velocity);
    rates->set_velocity(smooth_acceleration);
}
Automotive Planners and Controllers

Collaboration diagram for Automotive Planners and Controllers:

- **Automotive Systems**
- **Automotive Planners and Controllers**

Classes

- **class IdmController\(< T >\)**
  - IdmController implements the IDM (Intelligent Driver Model) planner, computed based only on the nearest car ahead. More...

- **class MobilPlanner\(< T >\)**
  - MOBIL (Minimizing Overall Braking Induced by Lane Changes) [1] is a planner that minimizes braking requirement for the ego car while also minimizing (per a weighting factor) the braking requirements of any trailing cars within the ego car's immediate neighborhood. More...

- **class PurePursuitController\(< T >\)**
  - PurePursuitController implements a pure pursuit controller. More...
SET DESIRED GAP

Photo Credit: Youtube - Adaptive Cruise Control (ACC) - Animated Quick Guide
SET DESIRED GAP

SHORT
MEDIUM
SET DESIRED GAP

- SHORT
- MEDIUM
- LONG
In traffic flow modeling, the **intelligent driver model (IDM)** is a time-continuous car-following model for the simulation of freeway and urban traffic. It was developed by Treiber, Hennecke and Helbing in 2000 to improve upon results provided with other "intelligent" driver models such as Gipps' model, which lose realistic properties in the deterministic limit.

### Model definition  [edit]

As a car-following model, the IDM describes the dynamics of the positions and velocities of single vehicles. For vehicle $\alpha$, $x_\alpha$ denotes its position at time $t$, and $v_\alpha$ its velocity. Furthermore, $l_\alpha$ gives the length of the vehicle. To simplify notation, we define the net distance $s_\alpha := x_{\alpha-1} - x_\alpha - l_{\alpha-1}$, where $\alpha - 1$ refers to the vehicle directly in front of vehicle $\alpha$, and the velocity difference, or approaching rate, $\Delta v_\alpha := v_\alpha - v_{\alpha-1}$. For a simplified version of the model, the dynamics of vehicle $\alpha$ are then described by the following two ordinary differential equations:

\[
\begin{align*}
\dot{x}_\alpha &= \frac{dx_\alpha}{dt} = v_\alpha \\
\dot{v}_\alpha &= \frac{dv_\alpha}{dt} = a \left( 1 - \left( \frac{v_\alpha}{v_0} \right)^\delta - \left( \frac{s^*(v_\alpha, \Delta v_\alpha)}{s_\alpha} \right)^2 \right)
\end{align*}
\]

with $s^*(v_\alpha, \Delta v_\alpha) = s_0 + v_\alpha T + \frac{v_\alpha \Delta v_\alpha}{2 \sqrt{a b}}$
template<typename T>
class drake::automotive::IdmPlanner< T >

IdmPlanner implements the IDM (Intelligent Driver Model) equation governing longitudinal accelerations of a vehicle in single-lane traffic [1, 2].

It is derived based on qualitative observations of actual driving behavior and captures objectives such as keeping a safe distance behind a lead vehicle, maintaining a desired speed, and accelerating and decelerating within comfortable limits.

The IDM equation produces accelerations that realize smooth transitions between the following three modes:

- Free-road behavior: when the distance to the leading car is large, the IDM regulates acceleration to match the desired speed \( v_0 \).
- Fast-closing-speed behavior: when the target distance decreases, an interaction term compensates for the velocity difference, while keeping deceleration comfortable according to parameter \( b \).
- Small-distance behavior: within small net distances to the lead vehicle, comfort is ignored in favor of increasing this distance to \( s_0 \).

See the corresponding .cc file for details about the IDM equation.

Instantiated templates for the following kinds of T's are provided:

- double
- drake::AutoDiffXd
- drake::symbolic::Expression

They are already available to link against in the containing library.


template<typename T>
class drake::automotive::IdmPlanner<T>

IdmPlanner implements the IDM (Intelligent Driver Model) equation governing longitudinal accelerations of a vehicle in single-lane traffic [1, 2].

It is derived based on qualitative observations of actual driving behavior and captures objectives such as keeping a safe distance behind a lead vehicle, maintaining a desired speed, and accelerating and decelerating within comfortable limits.

The IDM equation produces accelerations that realize smooth transitions between the following three modes:

- Free-road behavior: when the distance to the leading car is large, the IDM regulates acceleration to match the desired speed $\nu_0$.
- Fast-closing-speed behavior: when the target distance decreases, an interaction term compensates for the velocity difference, while keeping deceleration comfortable according to parameter $b$.
- Small-distance behavior: within small net distances to the lead vehicle, comfort is ignored in favor of increasing this distance to $s_0$.

See the corresponding .cc file for details about the IDM equation.

Instantiated templates for the following kinds of T's are provided:

- double
- drake::AutoDiffXd
- drake::symbolic::Expression

They are already available to link against in the containing library.


IdmPlanner

Evaluates the IDM equation for the chosen planner parameters `params`, given the current velocity `ego_velocity`, distance to the lead car `target_distance`, and the closing velocity `target_distance_dot`.

The returned value is a longitudinal acceleration.
```
template <typename T>
const T IdmPlanner<T>::Evaluate(const IdmPlannerParameters<T>& params,
                                         const T& ego_velocity, const T& target_distance,
                                         const T& target_distance_dot) {

  const T& v_ref = params.v_ref();
  const T& a = params.a();
  const T& b = params.b();
  const T& s_0 = params.s_0();
  const T& time_headway = params.time_headway();
  const T& delta = params.delta();

  // Compute the interaction acceleration terms.
  const T& closing_term =
      ego_velocity * target_distance_dot / (2 * sqrt(a * b));
  const T& too_close_term = s_0 + ego_velocity * time_headway;
  const T& accel_interaction =
      cond(target_distance < std::numeric_limits<T>::infinity(),
           pow((closing_term + too_close_term) / target_distance, 2.),
            T(0.));

  // Compute the free-road acceleration term.
  const T accel_free_road =
      pow(max(T(0.), ego_velocity) / v_ref, delta);

  // Compute the resultant acceleration (IDM equation).
  return a * (1. - accel_free_road - accel_interaction);
```

---

**IdmPlanner**

```
template <typename T> 
const T IdmPlanner<T>::Evaluate(const IdmPlannerParameters<T>& params, 
                                 const T& ego_velocity, const T& target_distance, 
                                 const T& target_distance_dot) {

  const T& v_ref = params.v_ref();
  const T& a = params.a();
  const T& b = params.b();
  const T& s_0 = params.s_0();
  const T& time_headway = params.time_headway();
  const T& delta = params.delta();

  // Compute the interaction acceleration terms.
  const T& closing_term =
      ego_velocity * target_distance_dot / (2 * sqrt(a * b));
  const T& too_close_term = s_0 + ego_velocity * time_headway;
  const T& accel_interaction =
      cond(target_distance < std::numeric_limits<T>::infinity(),
           pow((closing_term + too_close_term) / target_distance, 2.),
            T(0.));

  // Compute the free-road acceleration term.
  const T accel_free_road =
      pow(max(T(0.), ego_velocity) / v_ref, delta);

  // Compute the resultant acceleration (IDM equation).
  return a * (1. - accel_free_road - accel_interaction);
}
```
IdmController

Input

1. PoseVector(7D) for the ego car
2. FrameVelocity (6D) of the ego car
3. PoseBundle for the traffic cars
IdmController

Input

1. PoseVector(7D) for the ego car
2. FrameVelocity (6D) of the ego car
3. PoseBundle for the traffic cars
IdmController

Output

1. Acceleration of the ego car
template <typename T>
void IdmController<T>::ImplCalcAcceleration(
    const PoseVector<T>& ego_pose,
    const FrameVelocity<T>& ego_velocity,
    const PoseBundle<T>& traffic_poses,
    const IdmPlannerParameters<T>& idm_params,
    const RoadPosition& ego_rp,
    systems::BasicVector<T>* command) const {
  RoadPosition ego_position = ego_rp;
  if (!ego_rp.lane) {
    const auto gp = GeoPositionT<T>::FromXyz(ego_pose.get_isometry().translation());
    ego_position = road_.ToRoadPosition(gp.MakeDouble(), nullptr, nullptr, nullptr);
  }

  // Find the single closest car ahead.
  const ClosestPose<T> lead_car_pose = PoseSelector<T>::FindSingleClosestPose(
      ego_position.lane, ego_pose, traffic_poses,
      idm_params.scan_ahead_distance(), AheadOrBehind::kAhead,
      path_or_branches_);

  // Compute the acceleration command from the IDM equation.
  (*command)[0] = IdmPlanner<T>::Evaluate(idm_params, s_dot_ego, net_distance, closing_velocity);
# Automotive Planners and Controllers

**Modeling Dynamical Systems » Automotive Systems**

Collaboration diagram for Automotive Planners and Controllers:

![Collaboration Diagram](image)

## Classes

<table>
<thead>
<tr>
<th>Class</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>IdmController&lt; T &gt;</td>
<td>Implements the IDM (Intelligent Driver Model) planner, computed based only on the nearest car ahead. More...</td>
</tr>
<tr>
<td>MobilPlanner&lt; T &gt;</td>
<td>MOBIL (Minimizing Overall Braking Induced by Lane Changes) [1] is a planner that minimizes braking requirement for the ego car while also minimizing (per a weighting factor) the braking requirements of any trailing cars within the ego car's immediate neighborhood. More...</td>
</tr>
<tr>
<td>PurePursuitController&lt; T &gt;</td>
<td>Implements a pure pursuit controller. More...</td>
</tr>
</tbody>
</table>
Automotive Planners and Controllers

MOBIL (Minimizing Overall Braking Induced by Lane Changes)

Minimizing Breaking Requirement:
- for the Ego Car
- of Any Trailing Cars within the Ego Car's Neighborhood
MobilPlanner

Input

1. PoseVector for the Ego Car
2. FrameVelocity for the Ego Car
3. Ego Car's Commanded Acceleration
4. PoseBundle for the traffic cars

MobilPlanner

Output
1. LaneDirection

Automotive Demo
template<typename T>
void IdmController<T>::ImplCalcAcceleration(
    const PoseVector<T>& ego_pose, const FrameVelocity<T>& ego_velocity,
    const PoseBundle<T>& traffic_poses,
    const IdmPlannerParameters<T>& idm_params,
    const RoadPosition& ego_rp,
    systems::BasicVector<T>* command) const {
    RoadPosition ego_position = ego_rp;
    if (!ego_rp.lane) {
        const auto gp = GeoPositionT<T>::FromXyz(ego_pose.get_isometry().translation());
        ego_position = road_.ToRoadPosition(gp.MakeDouble(), nullptr, nullptr, nullptr);
    }

    // Saturate the net_distance at `idm_params.distance_lower_limit()` away from
    // the ego car to avoid near-singular solutions inherent to the IDM equation.
    const T actual_headway = headway_distance - idm_params.bloat_diameter();
    const T net_distance = max(actual_headway, idm_params.distance_lower_limit());
    const T closing_velocity = s_dot_ego - s_dot_lead;

    // Compute the acceleration command from the IDM equation.
    (*command)[0] = IdmPlanner<T>::Evaluate(idm_params, s_dot_ego, net_distance, closing_velocity);
}

const T headway_distance = lead_car_pose.distance;
const LanePositionT<>& lane_position(ego_position.pos.s()),
    (ego_position.pos.r()),
    (ego_position.pos.h()));

const T s_dot_ego = PoseSelector<T>::GetSigmaVelocity(ego_position.lane, lane_position, ego_velocity);
const T s_dot_lead =
    (abs(lead_car_pose.odometry.pos.s()) == std::numeric_limits<T>::infinity()) ? T(0.):
        PoseSelector<T>::GetSigmaVelocity(lead_car_pose.odometry);

// Saturate the net_distance at `idm_params.distance_lower_limit()` away from
// the ego car to avoid near-singular solutions inherent to the IDM equation.
const T actual_headway = headway_distance - idm_params.bloat_diameter();
const T net_distance = max(actual_headway, idm_params.distance_lower_limit());
const T closing_velocity = s_dot_ego - s_dot_lead;

// Compute the acceleration command from the IDM equation.
(*command)[0] = IdmPlanner<T>::Evaluate(idm_params, s_dot_ego, net_distance, closing_velocity);

Q: Sensors?

Q: Python Bindings?

Currently, we expose a subset of C++ APIs:

- SimpleCar
- IdmController
- PurePursuitController
- DrivingCommand
- ...

The following people at TRI helped me make this presentation. Thank you all!

- Alejandro Castro
- Jonathan Decastro
- Evan Drumwright
- Liang Fok
- Naveen Kuppuswamy
- Michael Sherman
- Prof. Russ Tedrake
Some Tips

Find a bug? Have a feature-request?

-> File an issue at https://github.com/RobotLocomotion/drake/issues/new

Questions?