

Dynamical Systems & Automotive Components

MIT/TRI Project: Interlock for Self Driving Cars

25 April 2018  
Soonho Kong

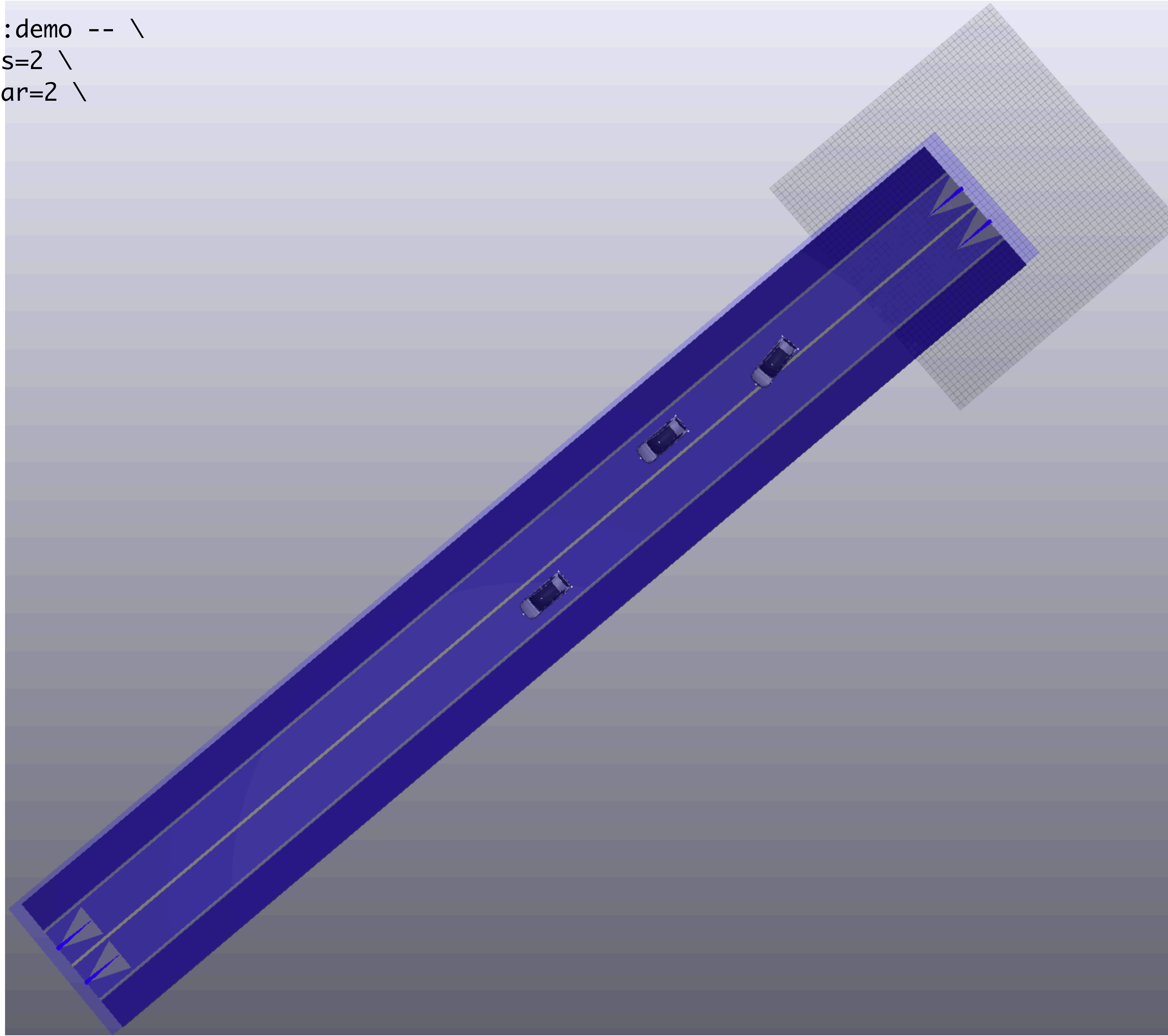


**Caution:**

**This presentation is based on the Drake version as of 25 April 2018  
and it could be outdated from the current master.**

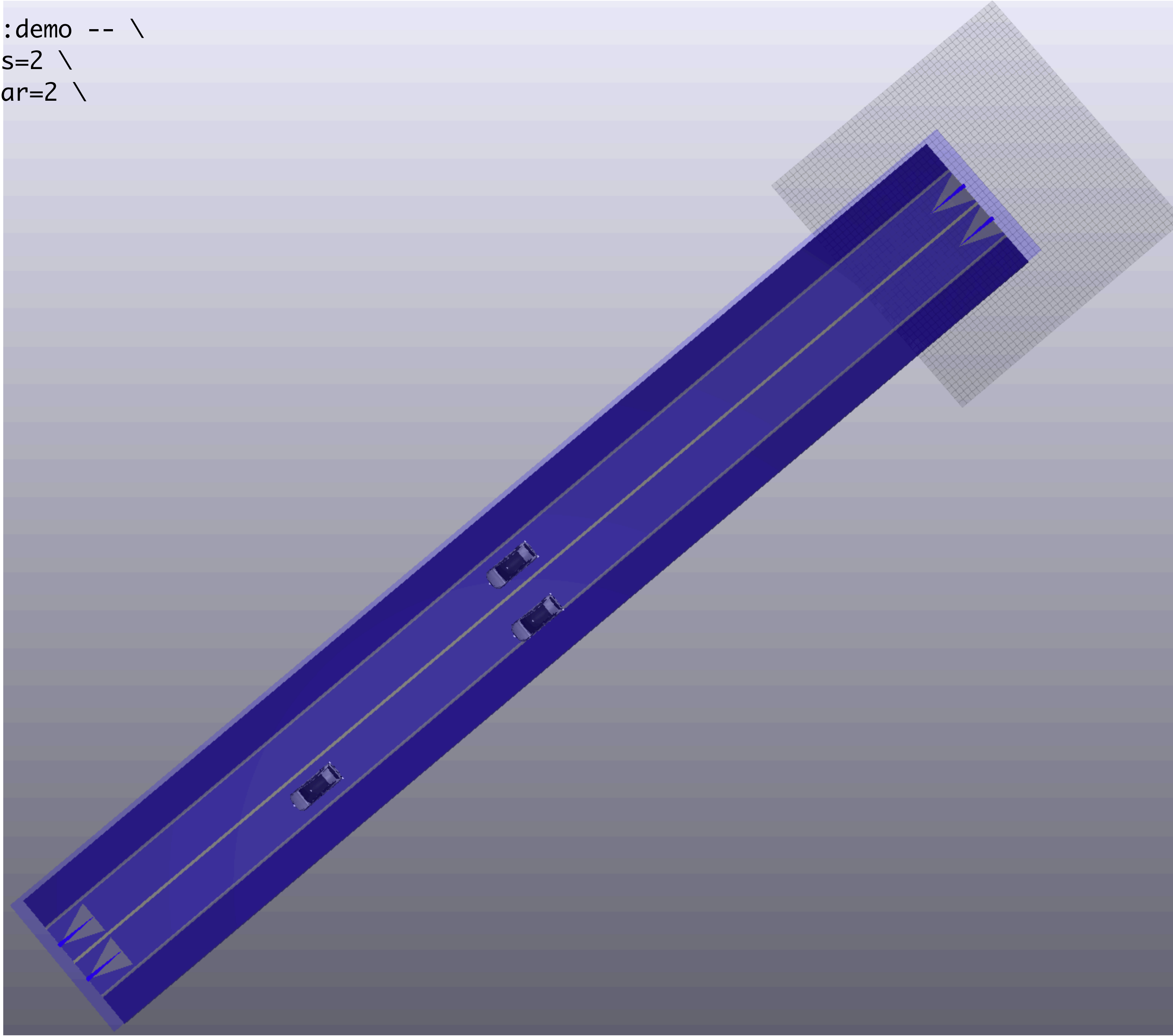
**Automotive Demo**

```
$ bazel run automotive:demo -- \  
  --num_dragway_lanes=2 \  
  --num_trajectory_car=2 \  
  --num_mobil_car=1
```

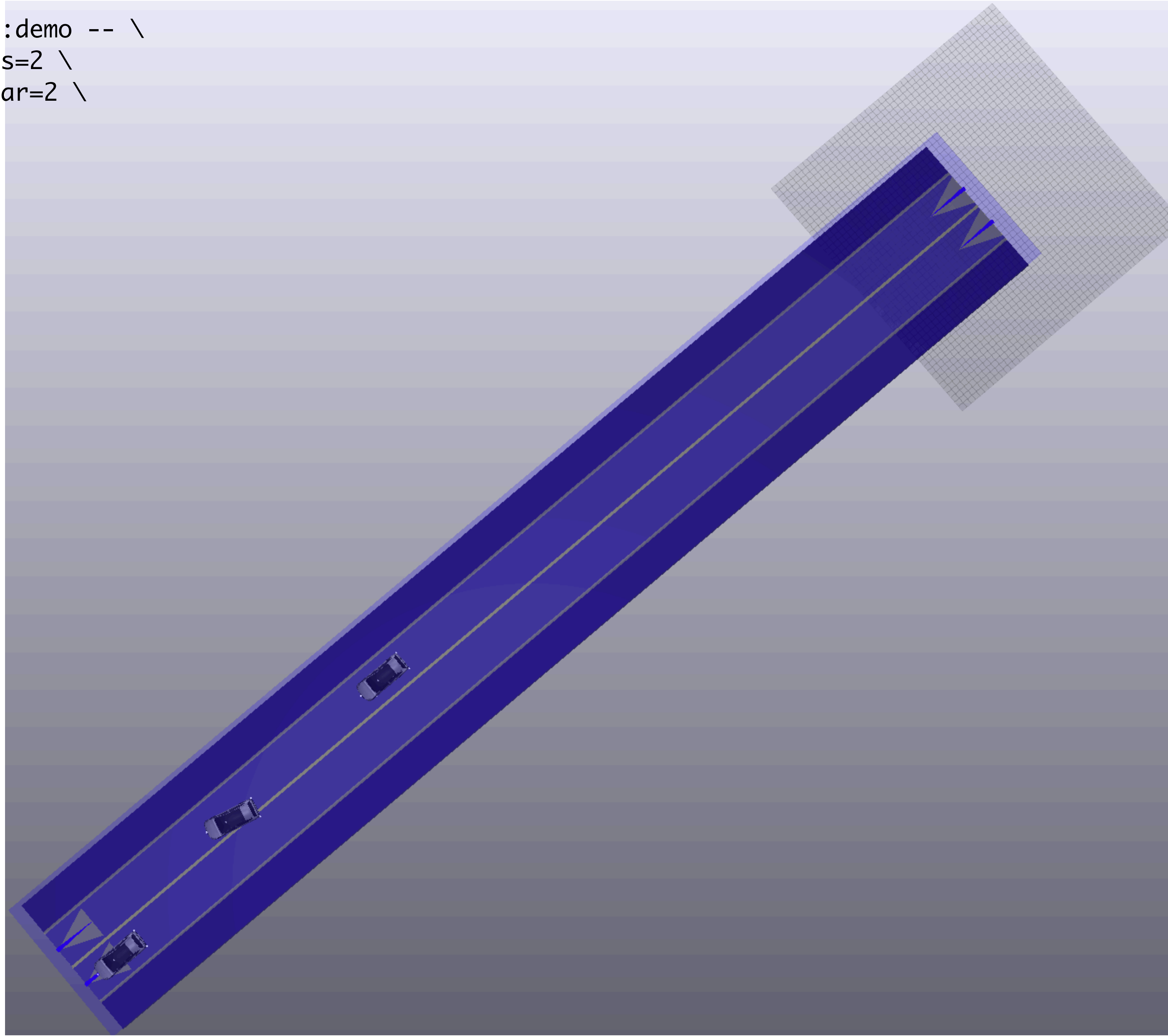




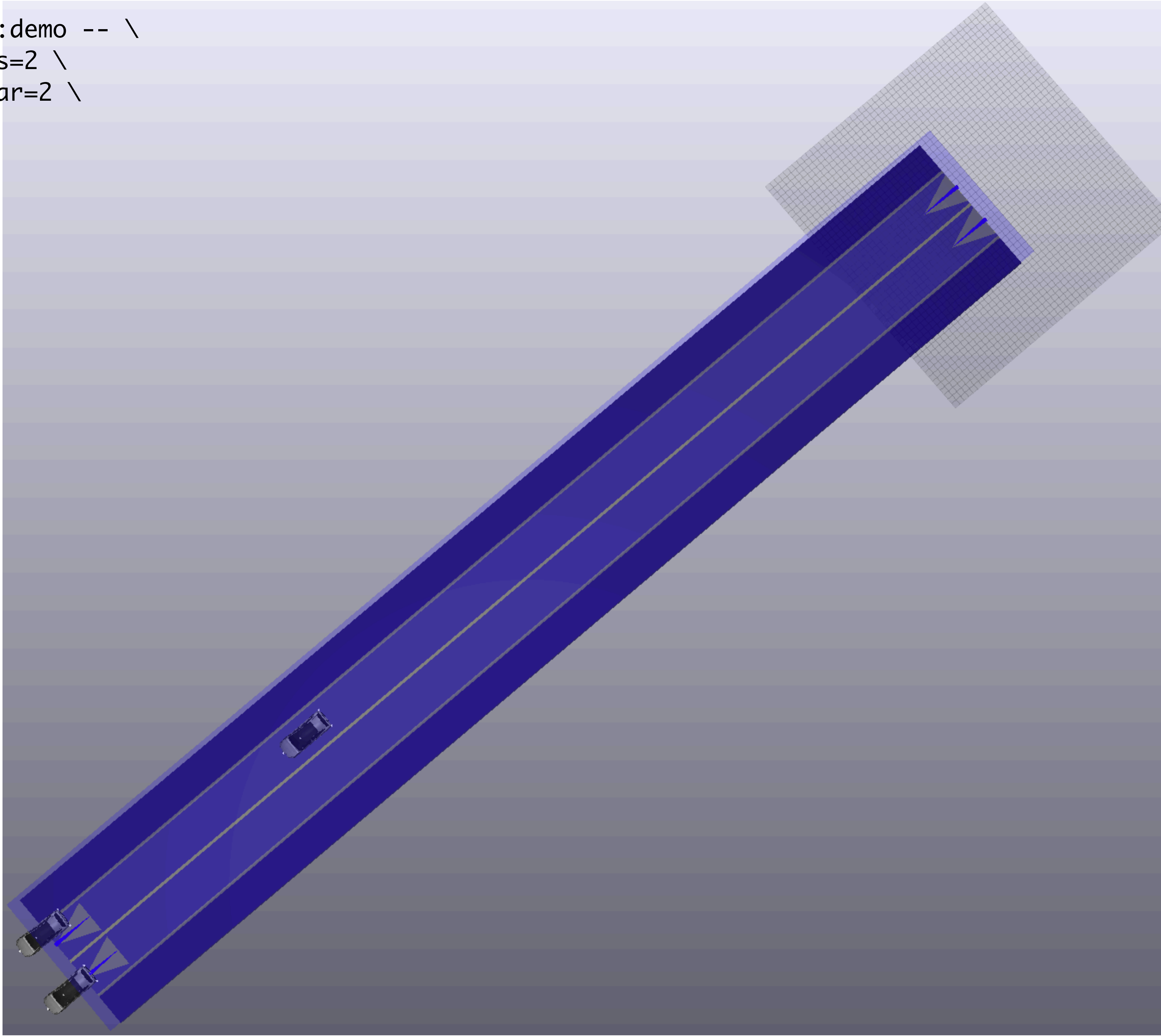
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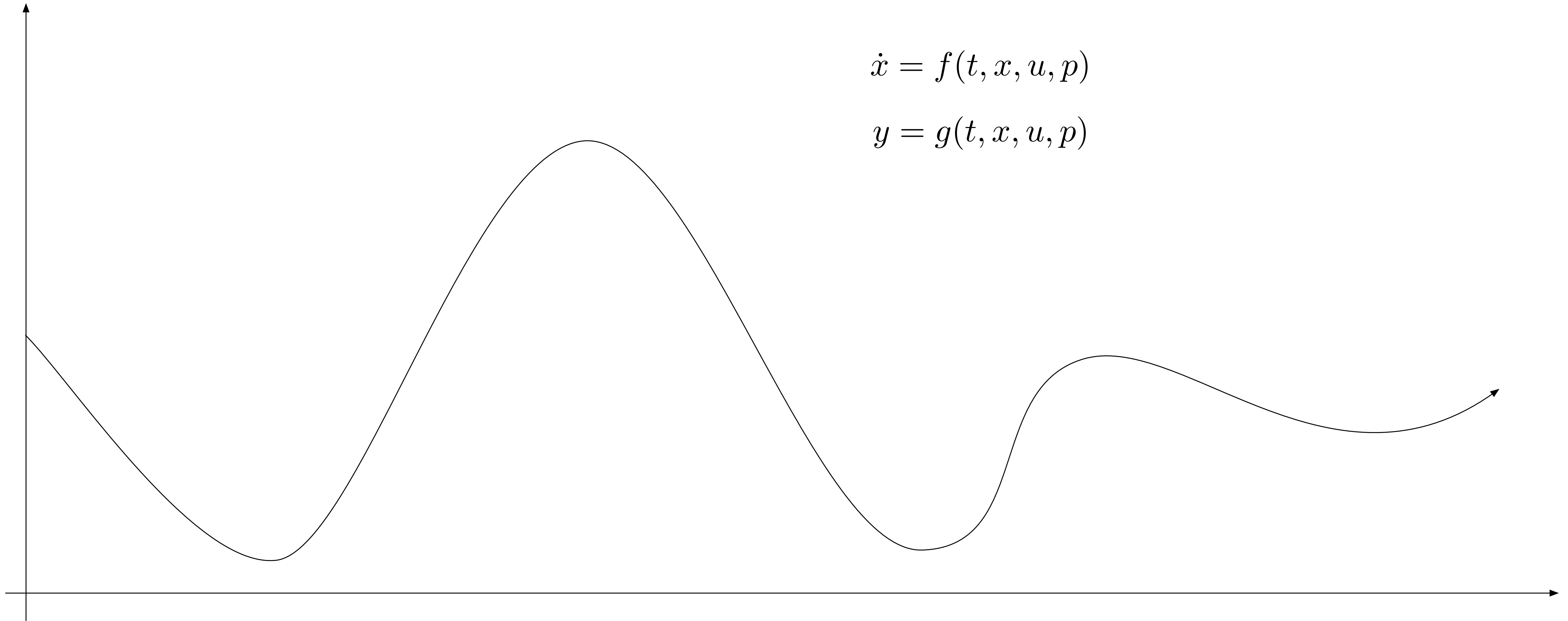
## Dynamical Systems

# Dynamical Systems

(Continuous)

$$\dot{x} = f(t, x, u, p)$$

$$y = g(t, x, u, p)$$



# Drake System Architecture

Include all the information needed  
to simulate a system at a given time step:  
Time, State, Input, Parameter

System : Context  $\rightarrow$  Computation

Including:  
Time Derivatives (continuous part),  
State Updates (discrete part),  
Output,  
...

**System = Stateless/Immutable Function**



# Drake System Architecture

```
// Simple Continuous Time System
// xdot = -x + x^3
// y = x
class SimpleContinuousTimeSystem : public drake::systems::VectorSystem<double> {
public:
  SimpleContinuousTimeSystem()
    : drake::systems::VectorSystem<double>(0, // Zero inputs.
                                           1) { // One output.
    this->DeclareContinuousState(1); // One state variable.
  }

private:
  // xdot = -x + x^3
  virtual void DoCalcVectorTimeDerivatives(
    const drake::systems::Context<double>& context,
    const Eigen::VectorBlock<const Eigen::VectorXd>& input,
    const Eigen::VectorBlock<const Eigen::VectorXd>& state,
    Eigen::VectorBlock<Eigen::VectorXd>* derivatives) const {
    (*derivatives)(0) = -state(0) + std::pow(state(0), 3.0);
  }

  // y = x
  virtual void DoCalcVectorOutput(
    const drake::systems::Context<double>& context,
    const Eigen::VectorBlock<const Eigen::VectorXd>& input,
    const Eigen::VectorBlock<const Eigen::VectorXd>& state,
    Eigen::VectorBlock<Eigen::VectorXd>* output) const {
    *output = state;
  }
};
```



# Drake System Architecture

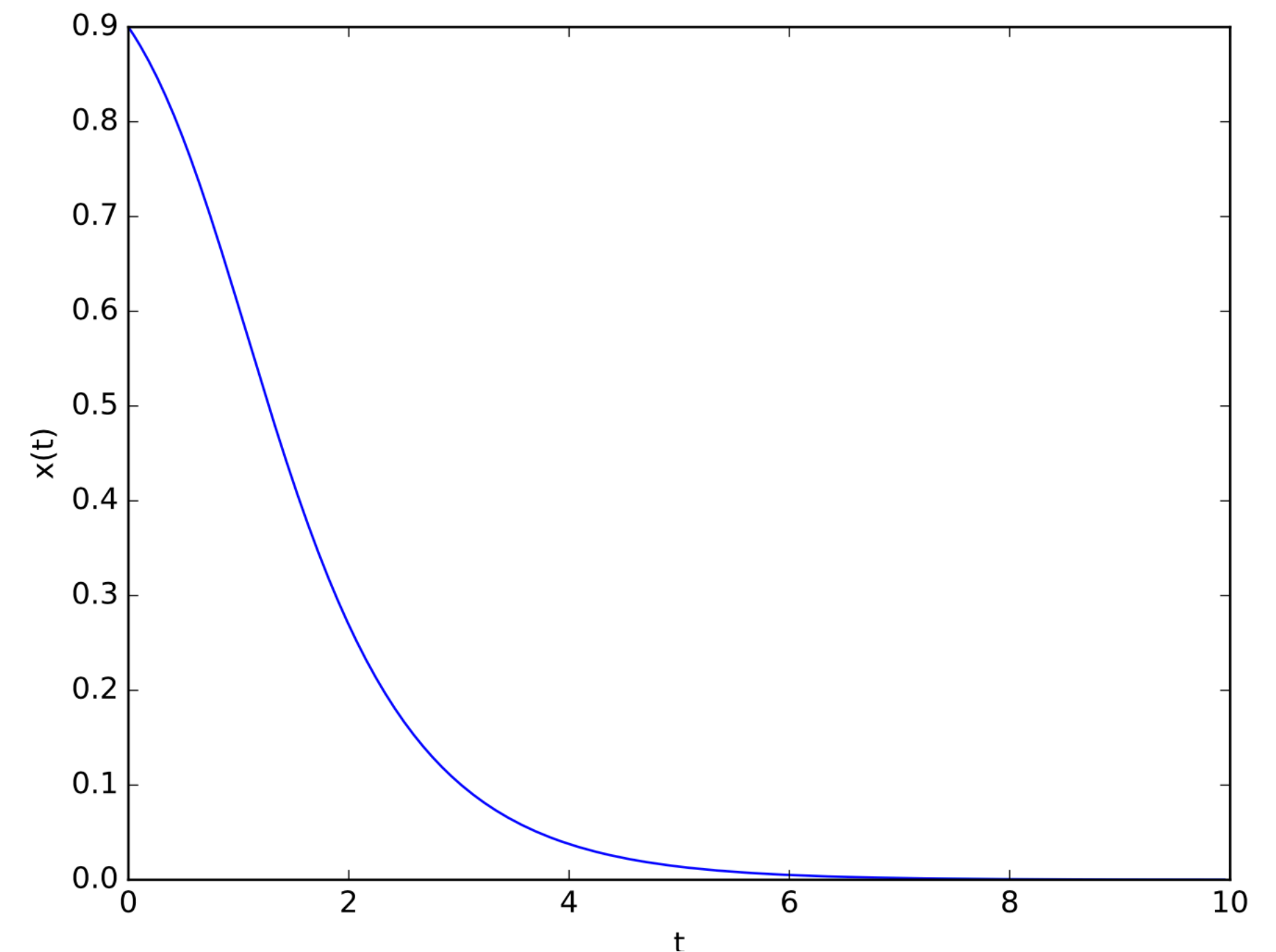
```
// Create the simple system.
SimpleContinuousTimeSystem system;

// Create the simulator.
drake::systems::Simulator<double> simulator(system);

// Set the initial conditions  $x(0)$ .
drake::systems::ContinuousState<double>& state =
    simulator.get_mutable_context().get_mutable_continuous_state();
state[0] = 0.9;

// Simulate for 10 seconds.
simulator.StepTo(10);

// Make sure the simulation converges to the stable fixed point at  $x=0$ .
DRAKE_DEMAND(state[0] < 1.0e-4);
```

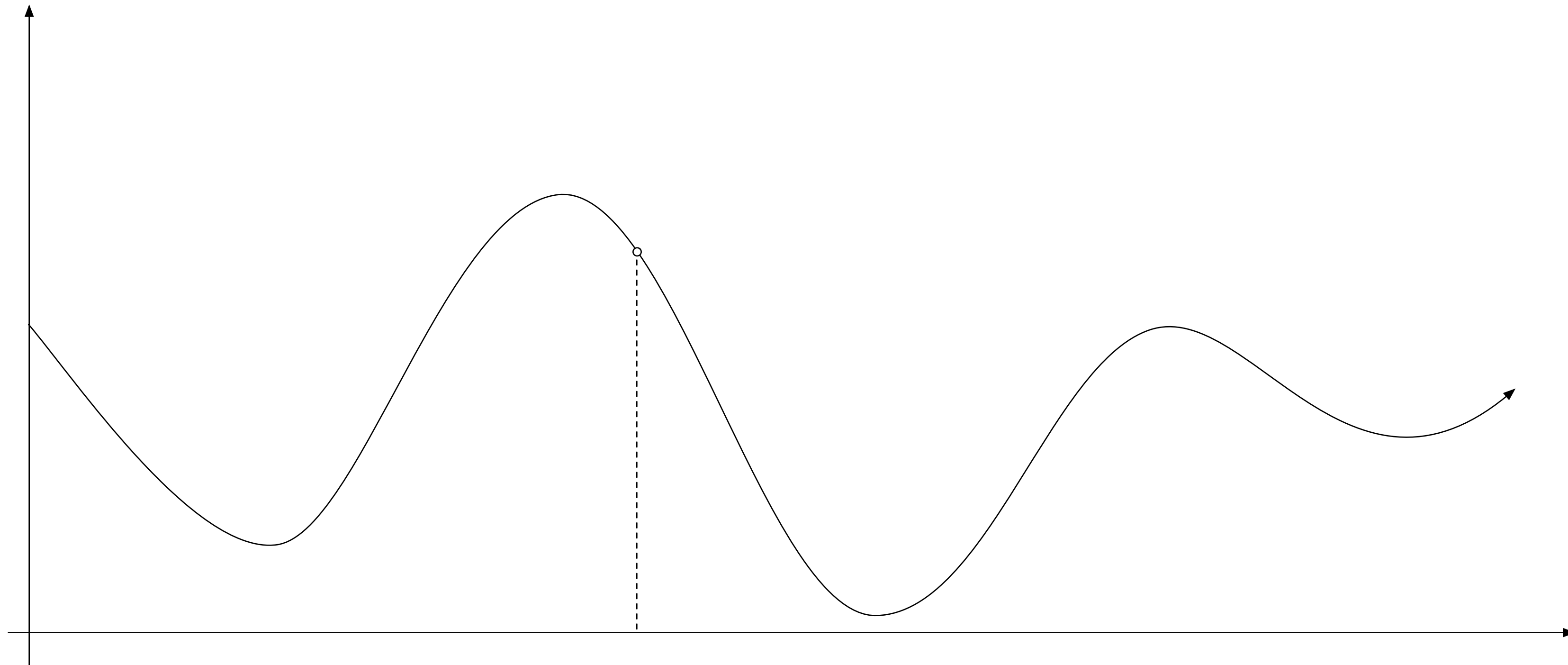


# Templated System Framework

System<T> where T can be:

- double

for Simulation / Testing



# Templated System Framework

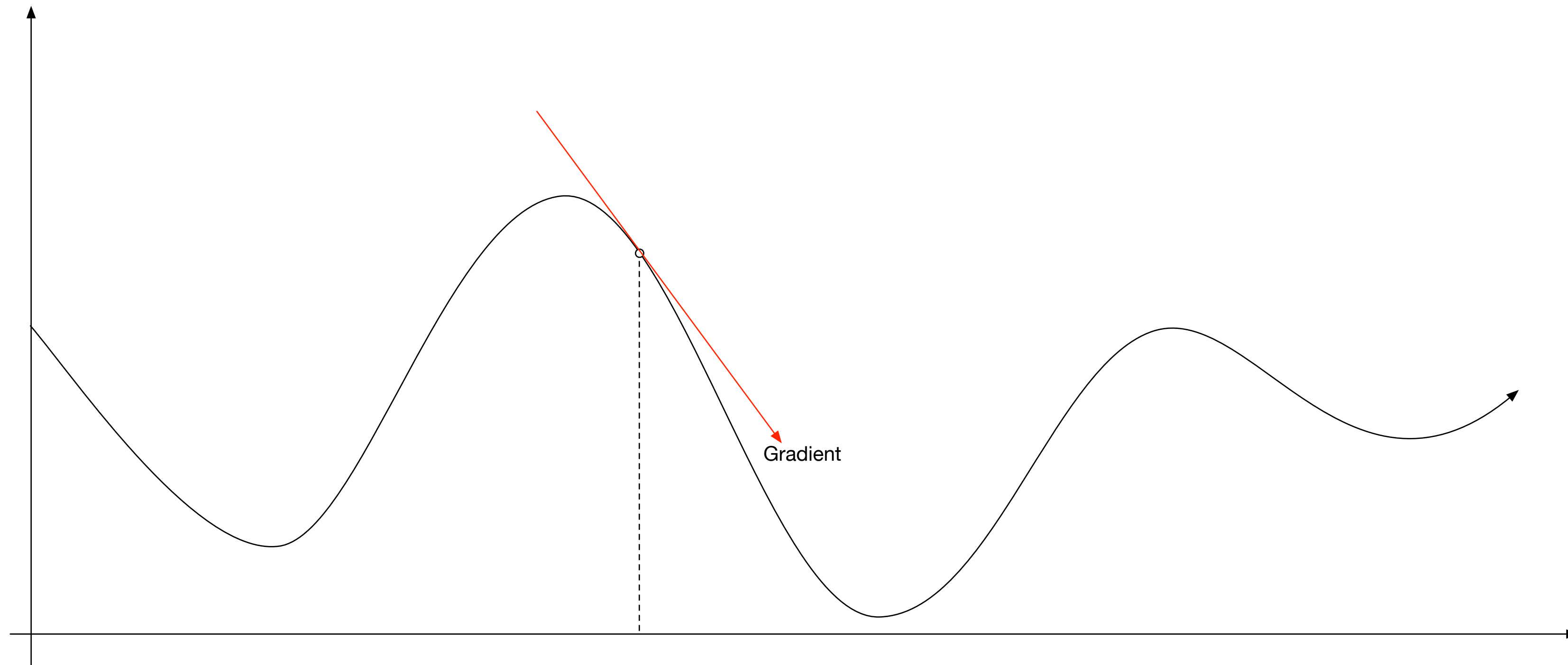
System<T> where T can be:

- double

for Simulation / Testing

- AutoDiff

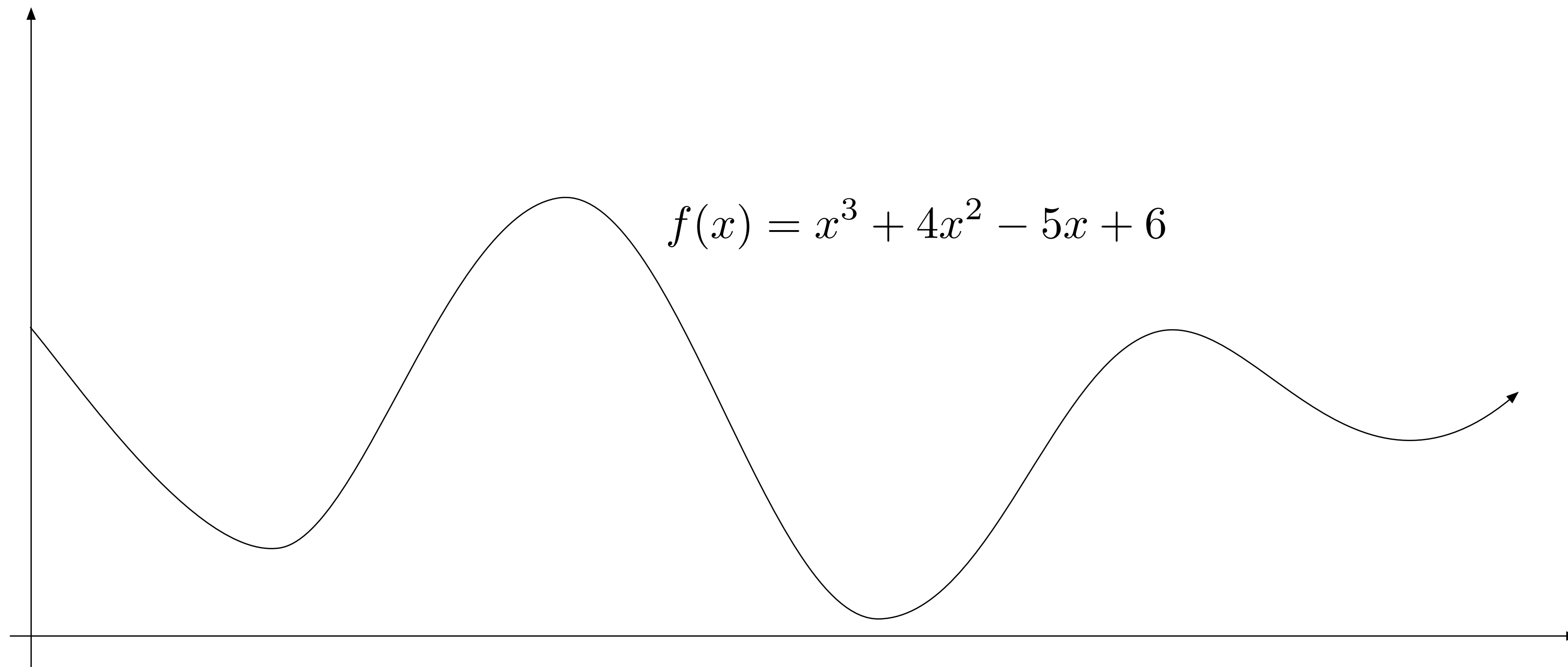
for Optimization-based Analysis & Design



# Templated System Framework

System<T> where T can be:

- double                    **for Simulation / Testing**
- AutoDiff                 **for Optimization-based Analysis & Design**
- symbolic::Expression   **for Symbolic Analysis & Verification (e.g. SMT)**



# Diagram

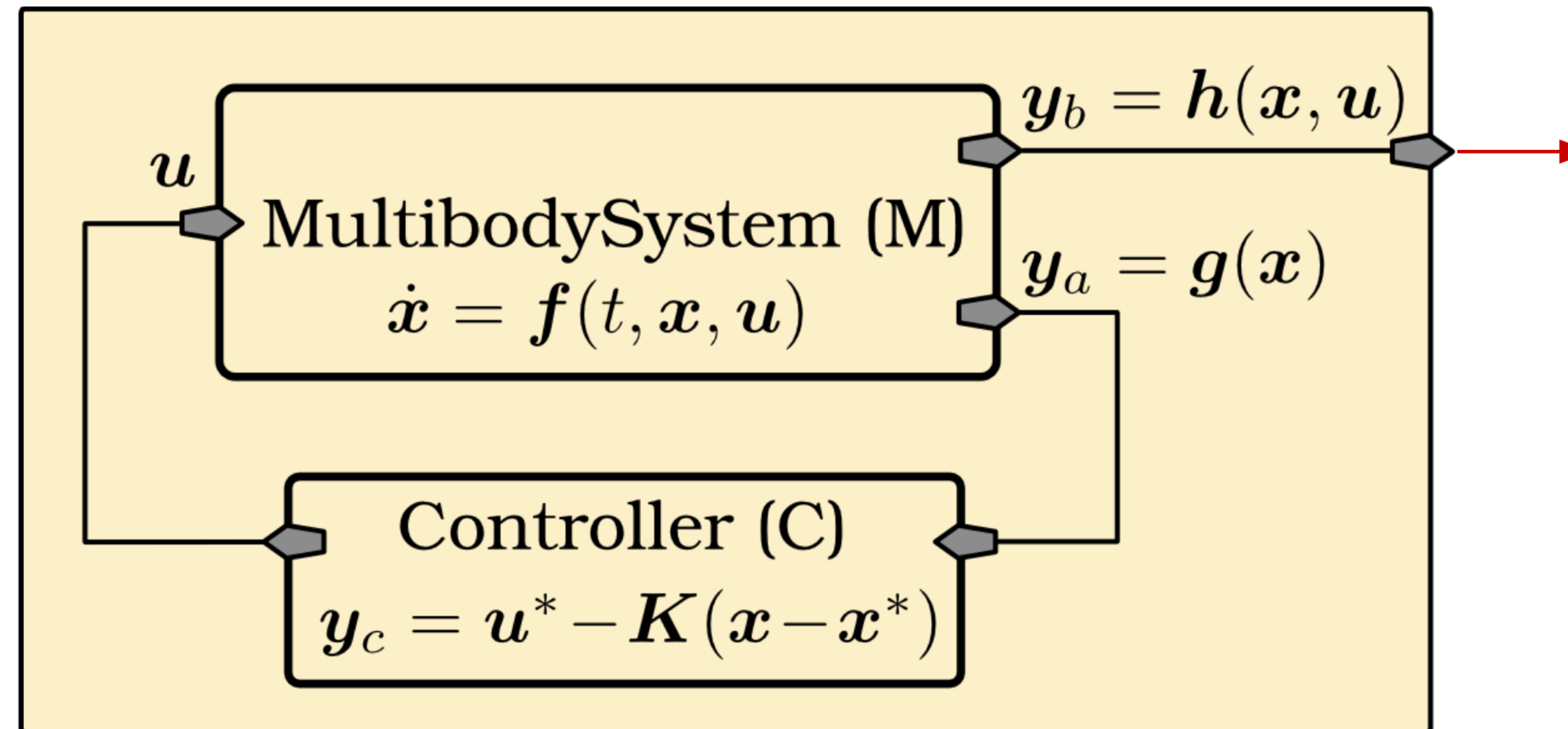
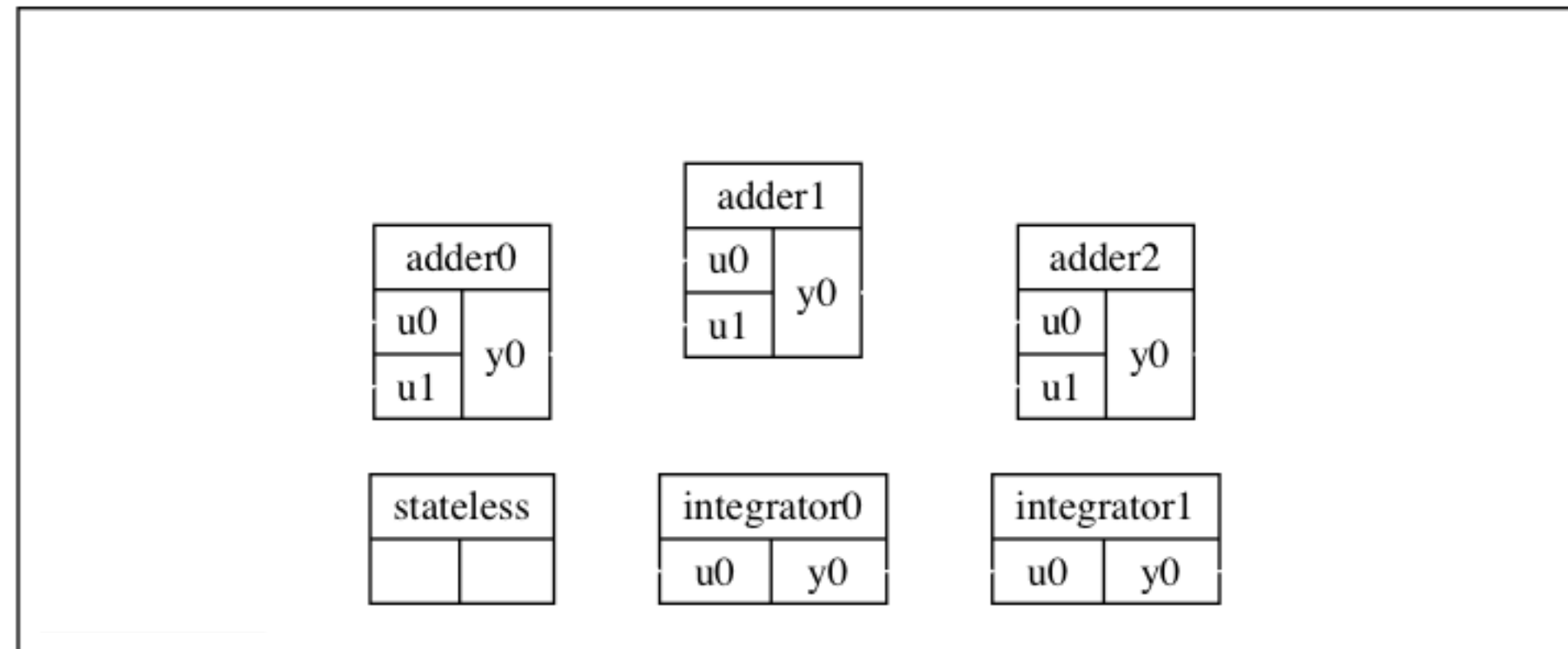


Diagram = A Graph of Systems = A System

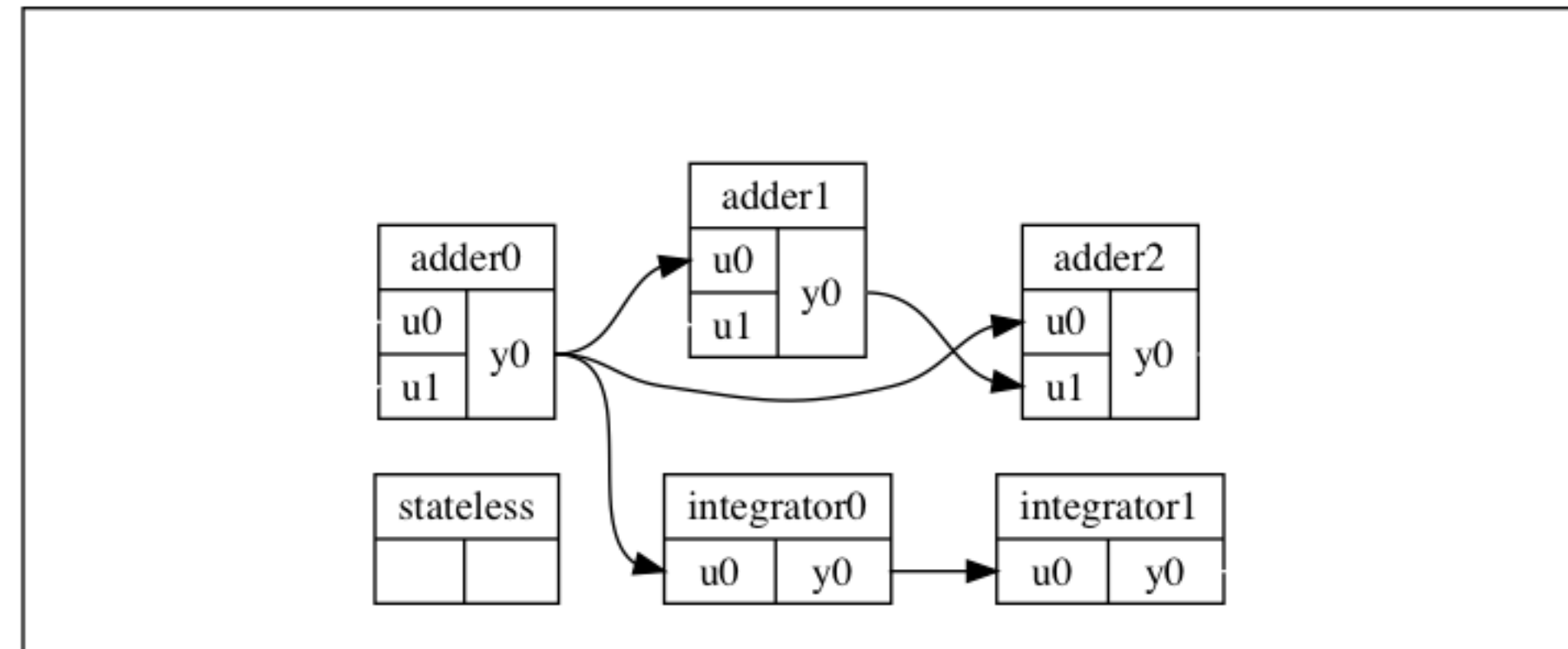
# Diagram Builder



```
DiagramBuilder<double> builder;
adder0_ = builder.AddSystem<Adder<double>>(2 /* inputs */, size);
adder0_>set_name("adder0");
adder1_ = builder.AddSystem<Adder<double>>(2 /* inputs */, size);
adder1_>set_name("adder1");
adder2_ = builder.AddSystem<Adder<double>>(2 /* inputs */, size);
adder2_>set_name("adder2");
stateless_ = builder.AddSystem<analysis_test::StatelessSystem<double>>(
    1.0 /* trigger time */,
    WitnessFunctionDirection::kCrossesZero);
stateless_>set_name("stateless");

integrator0_ = builder.AddSystem<Integrator<double>>(size);
integrator0_>set_name("integrator0");
integrator1_ = builder.AddSystem<Integrator<double>>(size);
integrator1_>set_name("integrator1");
```

# Diagram Builder

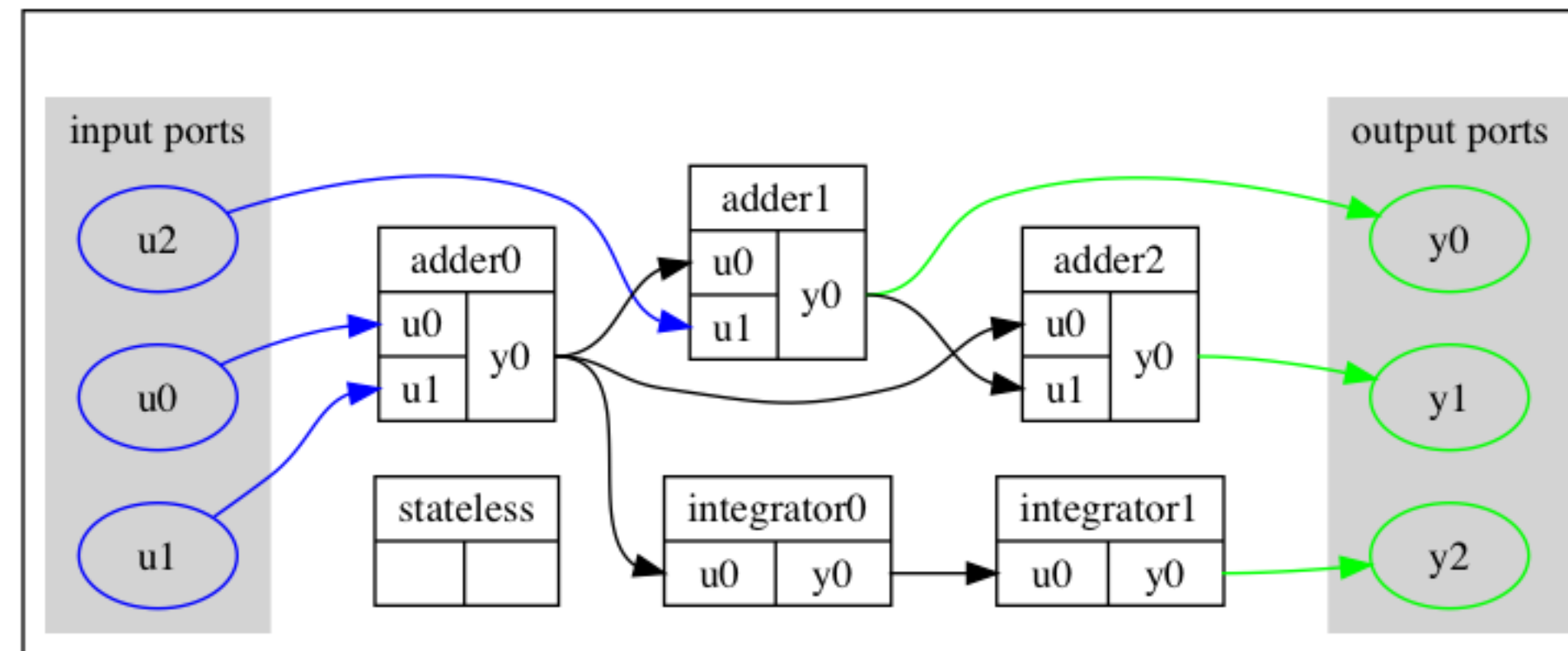


```
builder.Connect(adder0_->get_output_port(), adder1_->get_input_port(0));
builder.Connect(adder0_->get_output_port(), adder2_->get_input_port(0));
builder.Connect(adder1_->get_output_port(), adder2_->get_input_port(1));

builder.Connect(adder0_->get_output_port(),
                integrator0_>get_input_port());
builder.Connect(integrator0_>get_output_port(),
                integrator1_>get_input_port());
```



# Diagram Builder

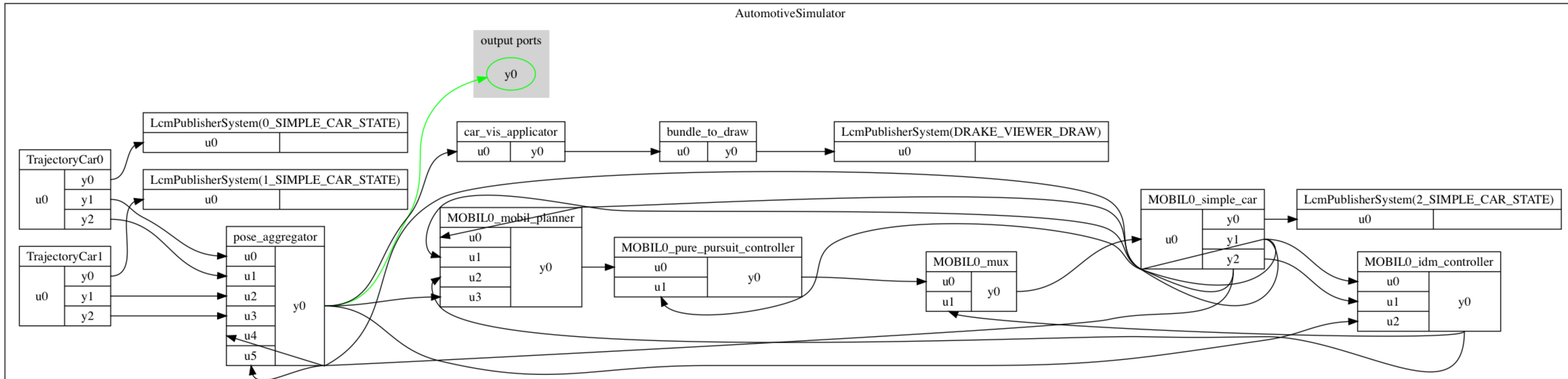


```
builder.ExportInput(adder0_->get_input_port(0));
builder.ExportInput(adder0_->get_input_port(1));
builder.ExportInput(adder1_->get_input_port(1));
builder.ExportOutput(adder1_->get_output_port());
builder.ExportOutput(adder2_->get_output_port());
builder.ExportOutput(integrator1_->get_output_port());

diagram_ = builder.Build();
```

## Automotive Systems

# Goal: Demystify Automotive Demo



```
$ bazel run automotive:demo -- \  
  --num_dragway_lanes=2 \  
  --num_trajectory_car=2 \  
  --num_mobil_car=1
```

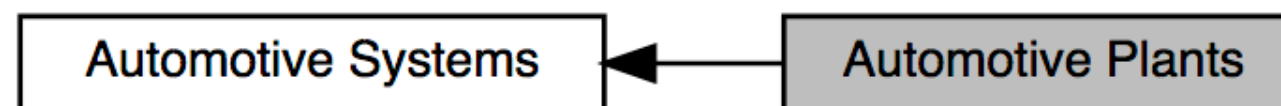
# Automotive Plants

Classes

## Automotive Plants

Modeling Dynamical Systems » Automotive Systems

Collaboration diagram for Automotive Plants:



## Classes

class **BicycleCar< T >**

**BicycleCar** implements a nonlinear rigid body bicycle model from Althoff & Dolan (2014) [1]. [More...](#)

class **MaliputRailcar< T >**

**MaliputRailcar** models a vehicle that follows a **maliput::api::Lane** as if it were on rails and neglecting all physics. [More...](#)

class **SimpleCar< T >**

**SimpleCar** models an idealized response to driving commands, neglecting all physics. [More...](#)

class **SimplePowertrain< T >**

**SimplePowertrain** models a powertrain with first-order lag. [More...](#)

class **TrajectoryCar< T >**

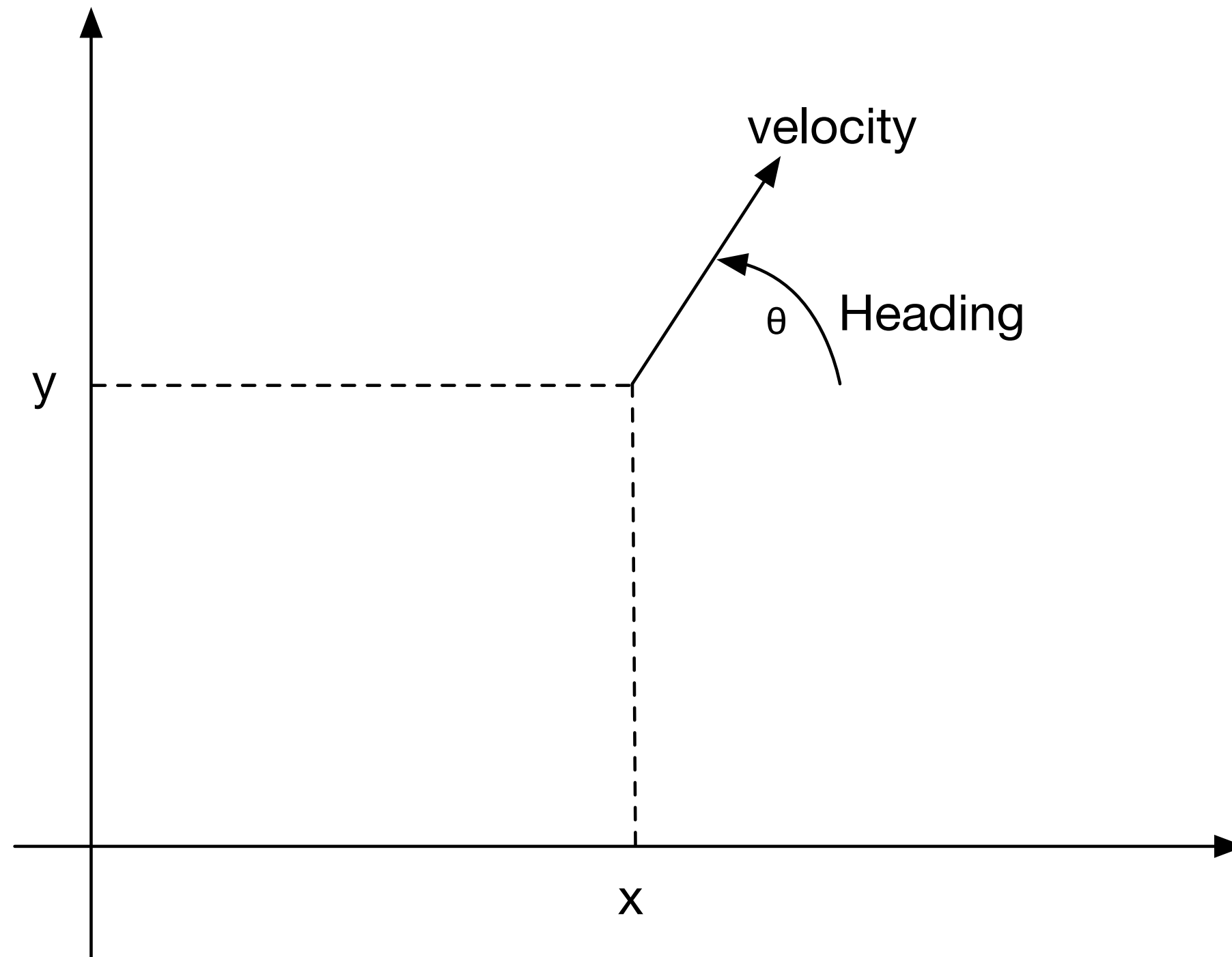
**TrajectoryCar** models a car that follows a pre-established trajectory. [More...](#)

## Detailed Description

Actuated System models related to automotive software.

# SimpleCar

## State



```
element {  
  name: "x"  
  doc: "x"  
  default_value: "0.0"  
}  
element {  
  name: "y"  
  doc: "y"  
  default_value: "0.0"  
}  
element {  
  name: "heading"  
  doc: "heading"  
  default_value: "0.0"  
}  
element {  
  name: "velocity"  
  doc: "velocity"  
  default_value: "0.0"  
}
```





# SimpleCar

## Parameter

```
namespace: "drake::automotive"

# The defaults in this file approximate a 2010 Toyota Prius.
element {
  name: "wheelbase"
  doc: "The distance between the front and rear axles of the vehicle."
  doc_units: "m"
  default_value: "2.700"
  min_value: "0.0"
}
element {
  name: "track"
  doc: "The distance between the center of two wheels on the same axle."
  doc_units: "m"
  default_value: "1.521"
  min_value: "0.0"
}
element {
  name: "max_abs_steering_angle"
  doc: "The limit on the driving_command.steering angle input
        (the desired steering angle of a virtual center wheel);
        this element is applied symmetrically to both left- and right-turn limits."
  doc_units: "rad"
  default_value: "0.471" # 27 degrees.
  min_value: "0.0"
}

element {
  name: "max_velocity"
  doc: "The limit on the car's forward speed."
  doc_units: "m/s"
  default_value: "45.0"
  min_value: "0.0"
}
element {
  name: "max_acceleration"
  doc: "The limit on the car's acceleration and deceleration."
  doc_units: "m/s^2"
  default_value: "4.0"
  min_value: "0.0"
}
element {
  name: "velocity_limit_kp"
  doc: "The smoothing constant for min/max velocity limits."
  doc_units: "Hz"
  default_value: "10.0"
  min_value: "0.0"
}
```



# SimpleCar

## Input

```
namespace: "drake::automotive"
```

```
element {  
  name: "steering_angle"  
  doc: "The desired steering angle of a virtual center wheel, positive results in the vehicle turning left."  
  doc_units: "rad"  
  default_value: "0.0"  
}
```

```
element {  
  name: "acceleration"  
  doc: "The signed acceleration, positive means speed up; negative means slow down, but should not move in reverse."  
  doc_units: "m/s^2"  
  default_value: "0.0"  
}
```





# SimpleCar

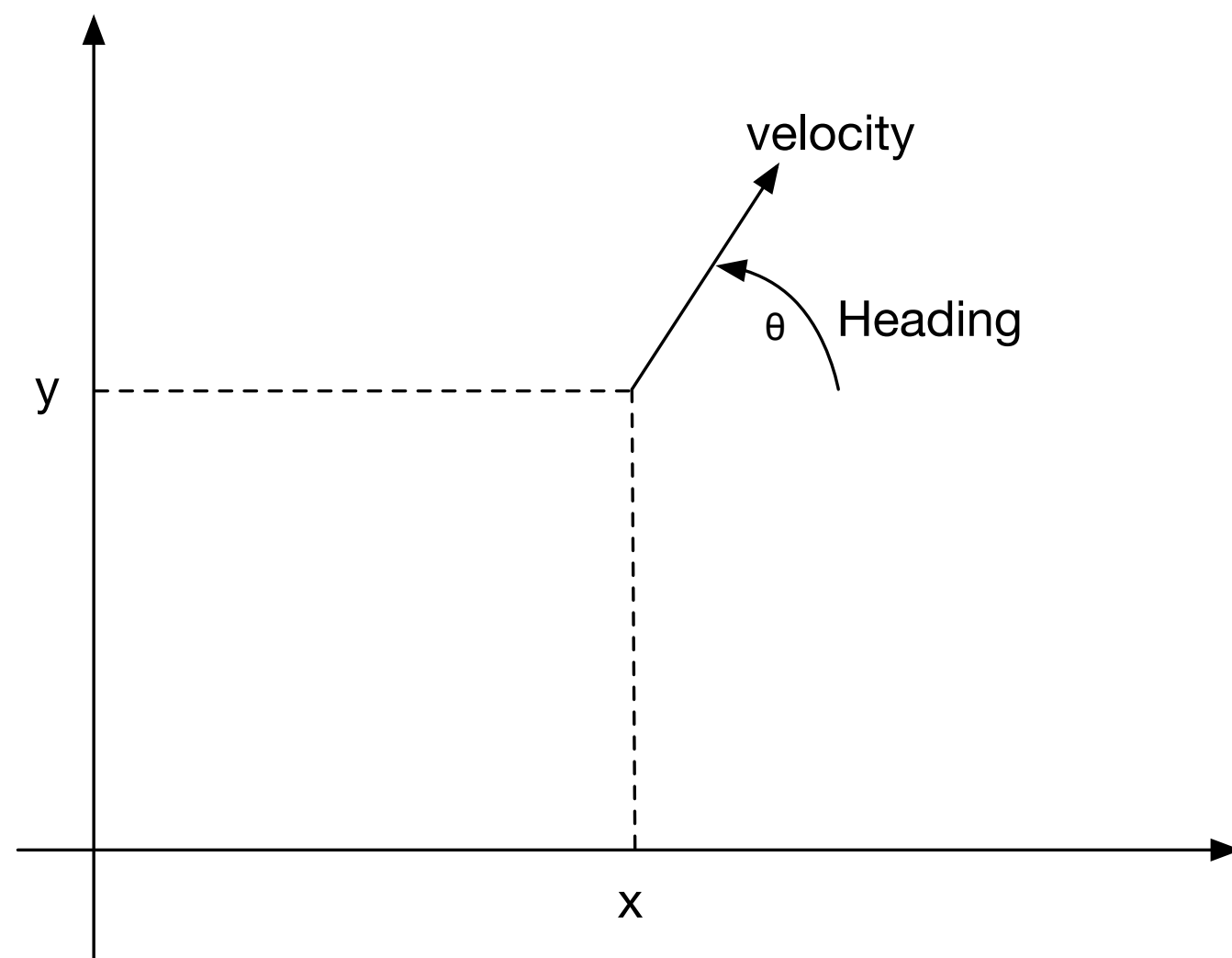
## Output

1. **State vector : Position (x, y, heading)  
+ Velocity**

# SimpleCar

## Output

1. **State vector : Position (x, y, heading)  
+ Velocity**
2. **PoseVector (7D)  
Translation (3D) + Rotation (4D)**



```
template <typename T>
void SimpleCar<T>::CalcPose(const systems::Context<T>& context,
                           PoseVector<T>* pose) const {
    const SimpleCarState<T>& state = get_state(context);
    pose->set_translation(Eigen::Translation<T, 3>(state.x(), state.y(), 0));
    const Vector3<T> z_axis{0.0, 0.0, 1.0};
    const Eigen::AngleAxis<T> rotation(state.heading(), z_axis);
    pose->set_rotation(Eigen::Quaternion<T>(rotation));
}
```

# SimpleCar

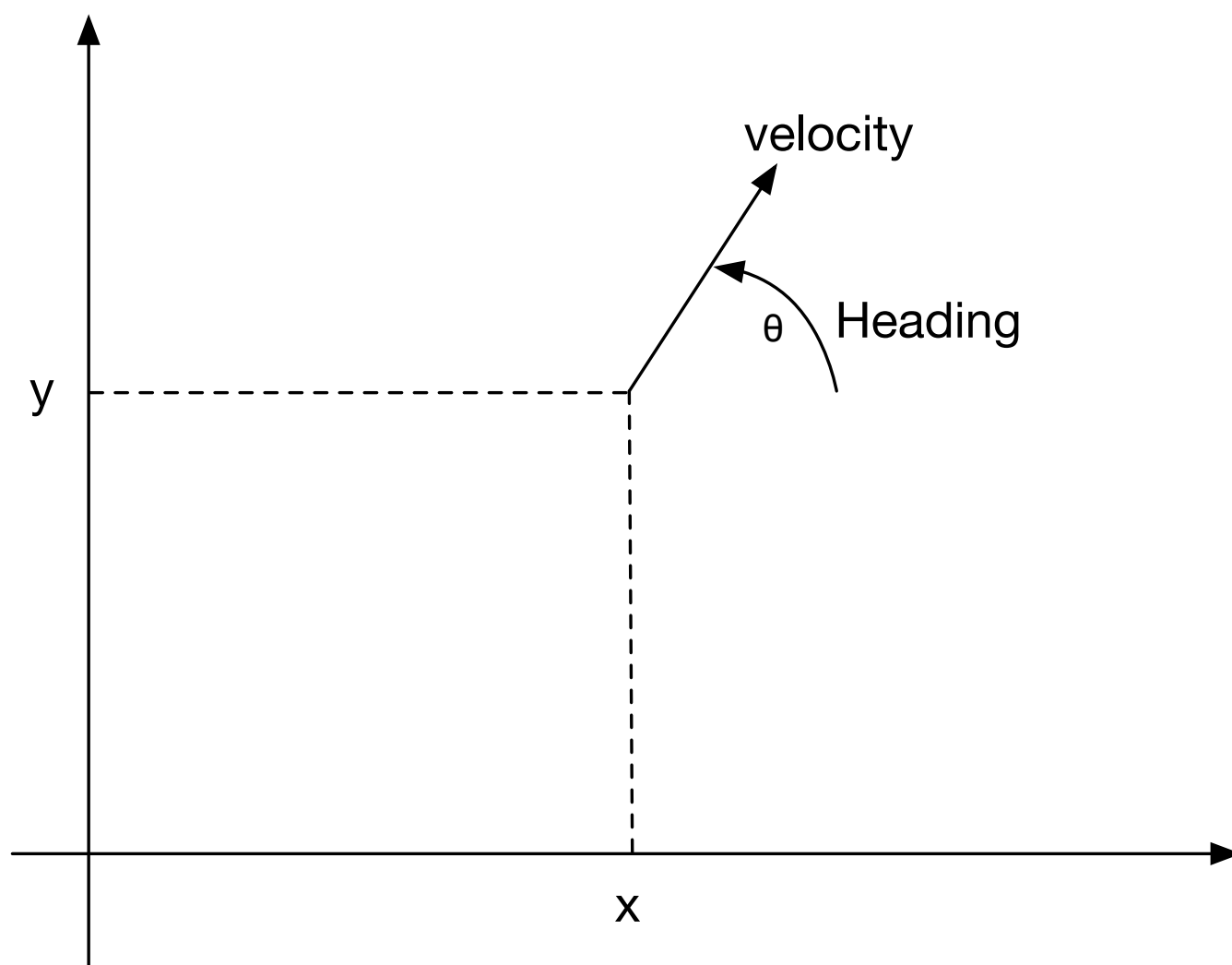
## Output

1. State vector : Position (x, y, heading)  
+ Velocity
2. PoseVector (7D)
3. FrameVelocity (6D)

## Derivatives of x-y-z translation (3D) + the derivatives of x-y-z rotation (3D)

```
template <typename T>
void SimpleCar<T>::CalcVelocity(
    const systems::Context<T>& context,
    systems::rendering::FrameVelocity<T>* velocity) const {
    const SimpleCarState<T>& state = get_state(context);
    const T nonneg_velocity = max(T(0), state.velocity());

    // Convert the state derivatives into a spatial velocity.
    multibody::SpatialVelocity<T> output;
    output.translational().x() = nonneg_velocity * cos(state.heading());
    output.translational().y() = nonneg_velocity * sin(state.heading());
    output.translational().z() = T(0);
    output.rotational().x() = T(0);
    output.rotational().y() = T(0);
    // The rotational velocity around the z-axis is actually rates.heading(),
    // which is a function of the input steering angle. We set it to zero so that
    // this system is not direct-feedthrough.
    output.rotational().z() = T(0);
    velocity->set_velocity(output);
}
```



# SimpleCar

## Dynamics

```
template <typename T>
void SimpleCar<T>::ImplCalcTimeDerivatives(const SimpleCarParams<T>& params,
                                           const SimpleCarState<T>& state,
                                           const DrivingCommand<T>& input,
                                           SimpleCarState<T>* rates) const {

    using std::abs;
    using std::cos;
    using std::max;
    using std::sin;

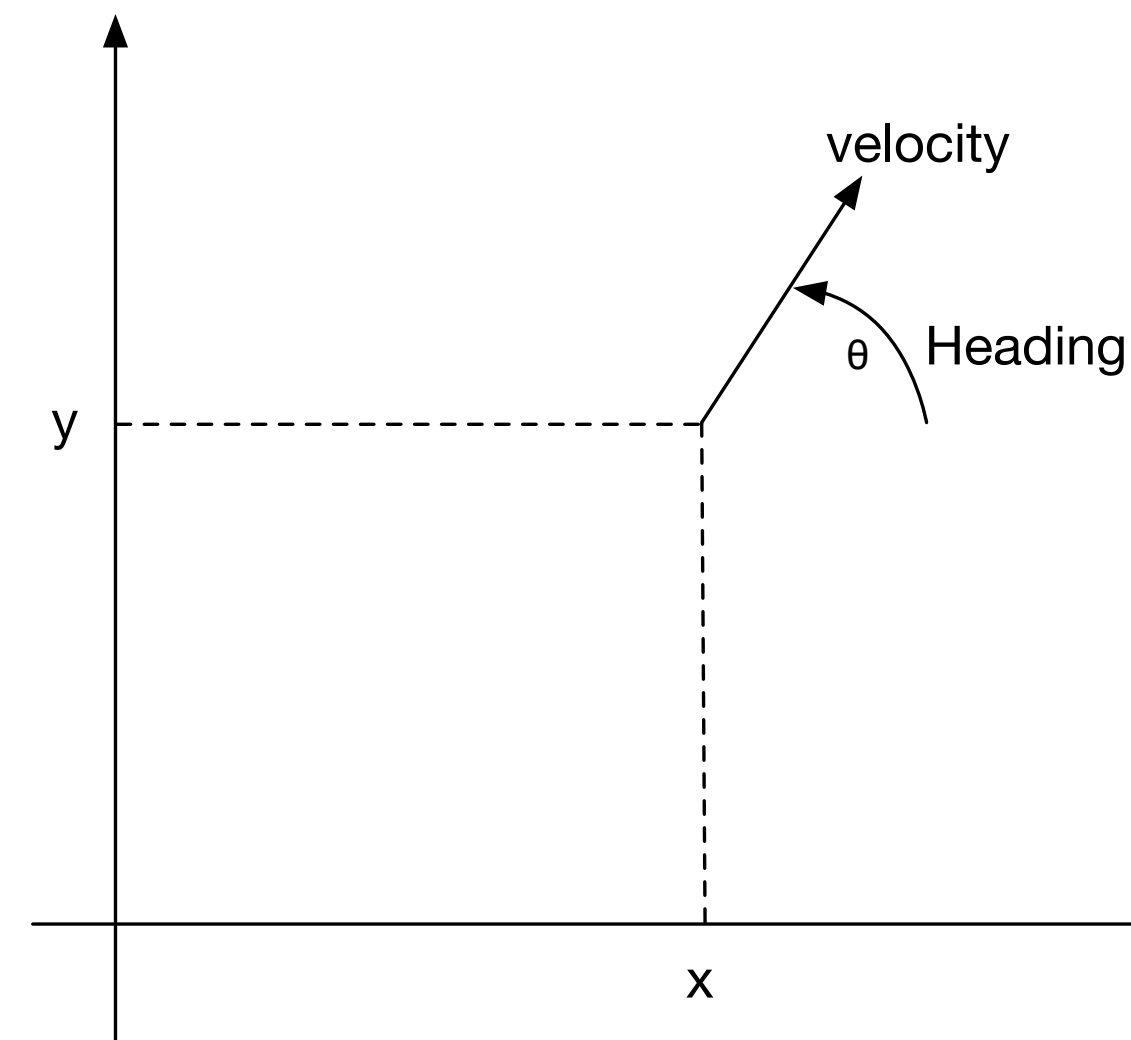
    // Sanity check our input.
    DRAKE_DEMAND(abs(input.steering_angle()) < M_PI);

    // Compute the smooth acceleration that the vehicle actually executes.
    const T desired_acceleration = input.acceleration();
    const T smooth_acceleration =
        calc_smooth_acceleration(desired_acceleration, params.max_velocity(),
                                params.velocity_limit_kp(), state.velocity());

    // Determine steering.
    const T saturated_steering_angle =
        math::saturate(input.steering_angle(), -params.max_abs_steering_angle(),
                      params.max_abs_steering_angle());
    const T curvature = tan(saturated_steering_angle) / params.wheelbase();

    // Don't allow small negative velocities to affect position or heading.
    const T nonneg_velocity = max(T(0), state.velocity());

    rates->set_x(nonneg_velocity * cos(state.heading()));
    rates->set_y(nonneg_velocity * sin(state.heading()));
    rates->set_heading(curvature * nonneg_velocity);
    rates->set_velocity(smooth_acceleration);
}
```





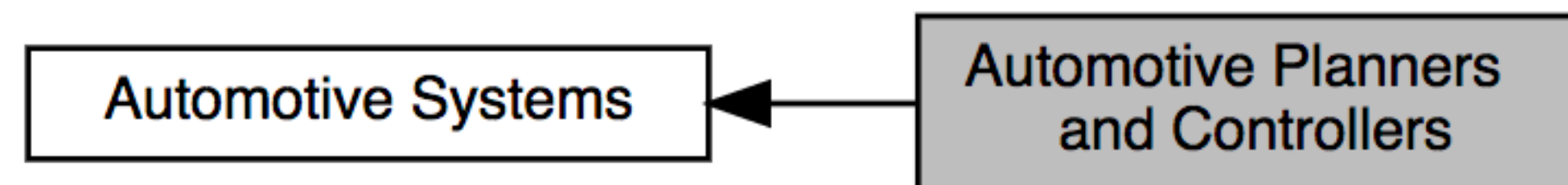
# Automotive Planners and Controllers

Classes

## Automotive Planners and Controllers

Modeling Dynamical Systems » Automotive Systems

Collaboration diagram for Automotive Planners and Controllers:



## Classes

class **IdmController< T >**

**IdmController** implements the IDM (Intelligent Driver Model) planner, computed based only on the nearest car ahead. [More...](#)

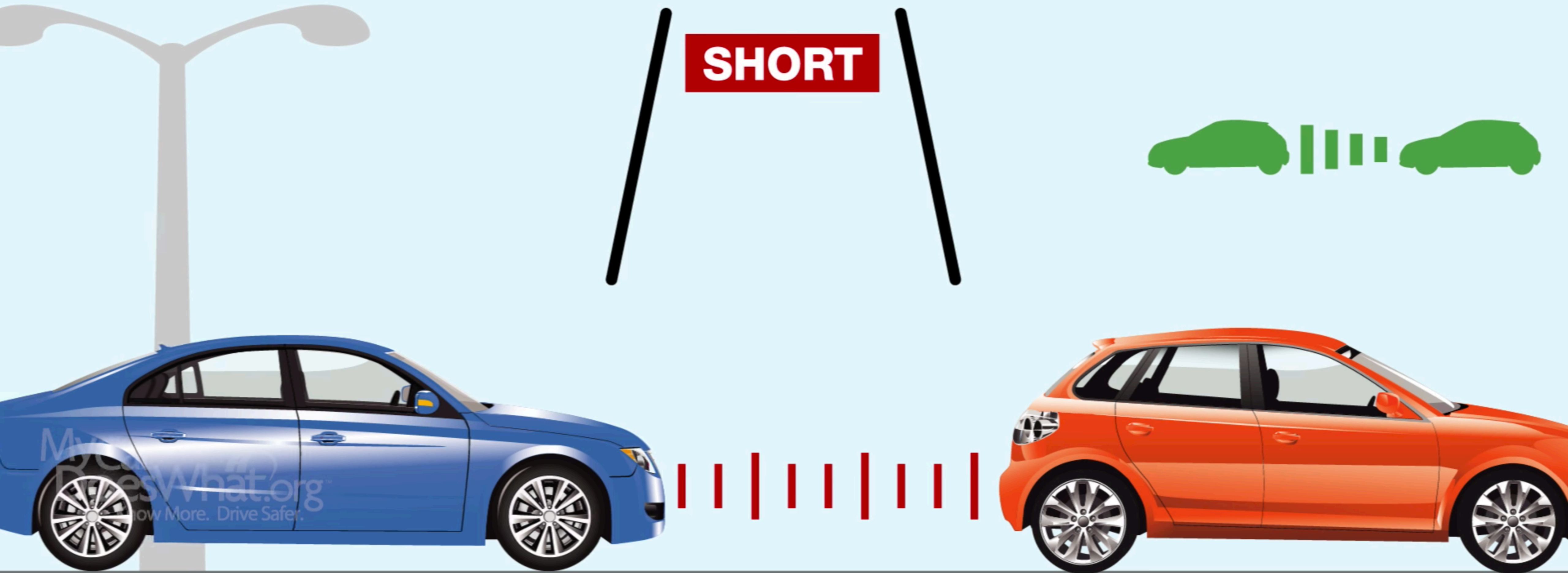
class **MobilPlanner< T >**

MOBIL (Minimizing Overall Braking Induced by Lane Changes) [1] is a planner that minimizes braking requirement for the ego car while also minimizing (per a weighting factor) the braking requirements of any trailing cars within the ego car's immediate neighborhood. [More...](#)

class **PurePursuitController< T >**

**PurePursuitController** implements a pure pursuit controller. [More...](#)

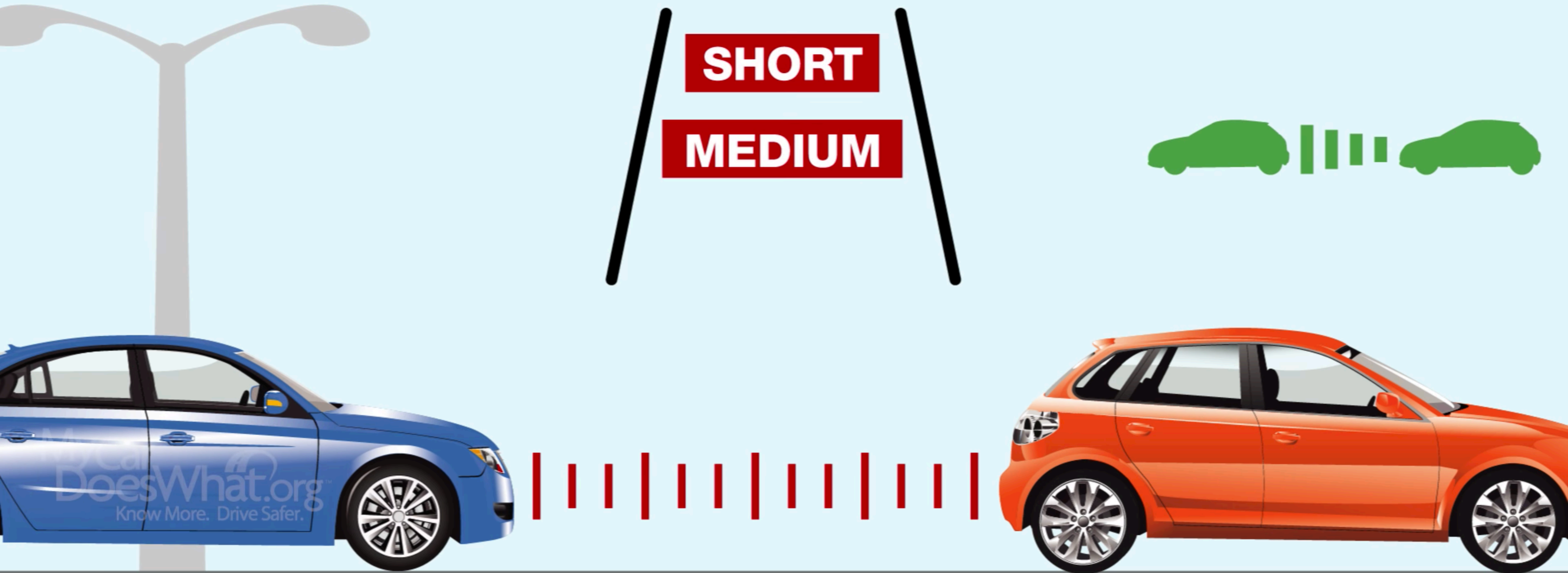
# SET DESIRED GAP



MyCarResWhat.org  
Drive More. Drive Safer.



# SET DESIRED GAP





# SET DESIRED GAP



# IDM (Intelligent Driver Model)

In [traffic flow](#) modeling, the **intelligent driver model (IDM)** is a [time-continuous car-following model](#) for the simulation of freeway and urban traffic. It was developed by Treiber, Hennecke and Helbing in 2000 to improve upon results provided with other "intelligent" driver models such as [Gipps' model](#), which lose realistic properties in the deterministic limit.

## Contents [\[hide\]](#)

- [1 Model definition](#)
- [2 Model characteristics](#)
- [3 Solution example](#)
- [4 See also](#)
- [5 References](#)
- [6 External links](#)

## Model definition [\[edit\]](#)

As a car-following model, the IDM describes the dynamics of the positions and velocities of single vehicles. For vehicle  $\alpha$ ,  $x_\alpha$  denotes its position at time  $t$ , and  $v_\alpha$  its velocity. Furthermore,  $l_\alpha$  gives the length of the vehicle. To simplify notation, we define the *net distance*  $s_\alpha := x_{\alpha-1} - x_\alpha - l_{\alpha-1}$ , where  $\alpha - 1$  refers to the vehicle directly in front of vehicle  $\alpha$ , and the velocity difference, or *approaching rate*,  $\Delta v_\alpha := v_\alpha - v_{\alpha-1}$ . For a simplified version of the model, the dynamics of vehicle  $\alpha$  are then described by the following two [ordinary differential equations](#):

$$\begin{aligned}\dot{x}_\alpha &= \frac{dx_\alpha}{dt} = v_\alpha \\ \dot{v}_\alpha &= \frac{dv_\alpha}{dt} = a \left( 1 - \left( \frac{v_\alpha}{v_0} \right)^\delta - \left( \frac{s^*(v_\alpha, \Delta v_\alpha)}{s_\alpha} \right)^2 \right) \\ \text{with } s^*(v_\alpha, \Delta v_\alpha) &= s_0 + v_\alpha T + \frac{v_\alpha \Delta v_\alpha}{2\sqrt{ab}}\end{aligned}$$



# IdmPlanner

```
template<typename T>  
class drake::automotive::IdmPlanner< T >
```

**IdmPlanner** implements the IDM (Intelligent Driver Model) equation governing longitudinal accelerations of a vehicle in single-lane traffic [1, 2].

It is derived based on qualitative observations of actual driving behavior and captures objectives such as keeping a safe distance behind a lead vehicle, maintaining a desired speed, and accelerating and decelerating within comfortable limits.

The IDM equation produces accelerations that realize smooth transitions between the following three modes:

- Free-road behavior: when the distance to the leading car is large, the IDM regulates acceleration to match the desired speed  $v_0$ .
- Fast-closing-speed behavior: when the target distance decreases, an interaction term compensates for the velocity difference, while keeping deceleration comfortable according to parameter  $b$ .
- Small-distance behavior: within small net distances to the lead vehicle, comfort is ignored in favor of increasing this distance to  $s_0$ .

See the corresponding .cc file for details about the IDM equation.

Instantiated templates for the following kinds of T's are provided:

- double
- **drake::AutoDiffXd**
- **drake::symbolic::Expression**

They are already available to link against in the containing library.

[1] Martin Treiber and Arne Kesting. Traffic Flow Dynamics, Data, Models, and Simulation. Springer, 2013.

[2] [https://en.wikipedia.org/wiki/Intelligent\\_driver\\_model](https://en.wikipedia.org/wiki/Intelligent_driver_model).

# IdmPlanner

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The IDM equation produces accelerations that realize smooth transitions between the following three modes:

**LONG**

**MEDIUM**

**SHORT**

- Free-road behavior: when the distance to the leading car is large, the IDM regulates acceleration to match the desired speed  $v_0$ .
- Fast-closing-speed behavior: when the target distance decreases, an interaction term compensates for the velocity difference, while keeping deceleration comfortable according to parameter  $b$ .
- Small-distance behavior: within small net distances to the lead vehicle, comfort is ignored in favor of increasing this distance to  $s_0$ .

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[2] [https://en.wikipedia.org/wiki/Intelligent\\_driver\\_model](https://en.wikipedia.org/wiki/Intelligent_driver_model).



# IdmPlanner

```
const T Evaluate ( const IdmPlannerParameters< T > & params,  
                  const T & ego_velocity,  
                  const T & target_distance,  
                  const T & target_distance_dot  
                )
```

static

Evaluates the IDM equation for the chosen planner parameters `params`, given the current velocity `ego_velocity`, distance to the lead car `target_distance`, and the closing velocity `target_distance_dot`.

The returned value is a longitudinal acceleration.



# IdmPlanner

```
template <typename T>
const T IdmPlanner<T>::Evaluate(const IdmPlannerParameters<T>& params,
                                const T& ego_velocity, const T& target_distance,
                                const T& target_distance_dot) {
    const T& v_ref = params.v_ref();
    const T& a = params.a();
    const T& b = params.b();
    const T& s_0 = params.s_0();
    const T& time_headway = params.time_headway();
    const T& delta = params.delta();

    // Compute the interaction acceleration terms.
    const T& closing_term =
        ego_velocity * target_distance_dot / (2 * sqrt(a * b));
    const T& too_close_term = s_0 + ego_velocity * time_headway;
    const T& accel_interaction =
        cond(target_distance < std::numeric_limits<T>::infinity(),
            pow((closing_term + too_close_term) / target_distance, 2.), T(0.));

    // Compute the free-road acceleration term.
    const T accel_free_road = pow(max(T(0.), ego_velocity) / v_ref, delta);

    // Compute the resultant acceleration (IDM equation).
    return a * (1. - accel_free_road - accel_interaction);
}
```



# IdmController

## Input

1. PoseVector(7D) for the ego car
2. FrameVelocity (6D) of the ego car
3. PoseBundle for the traffic cars

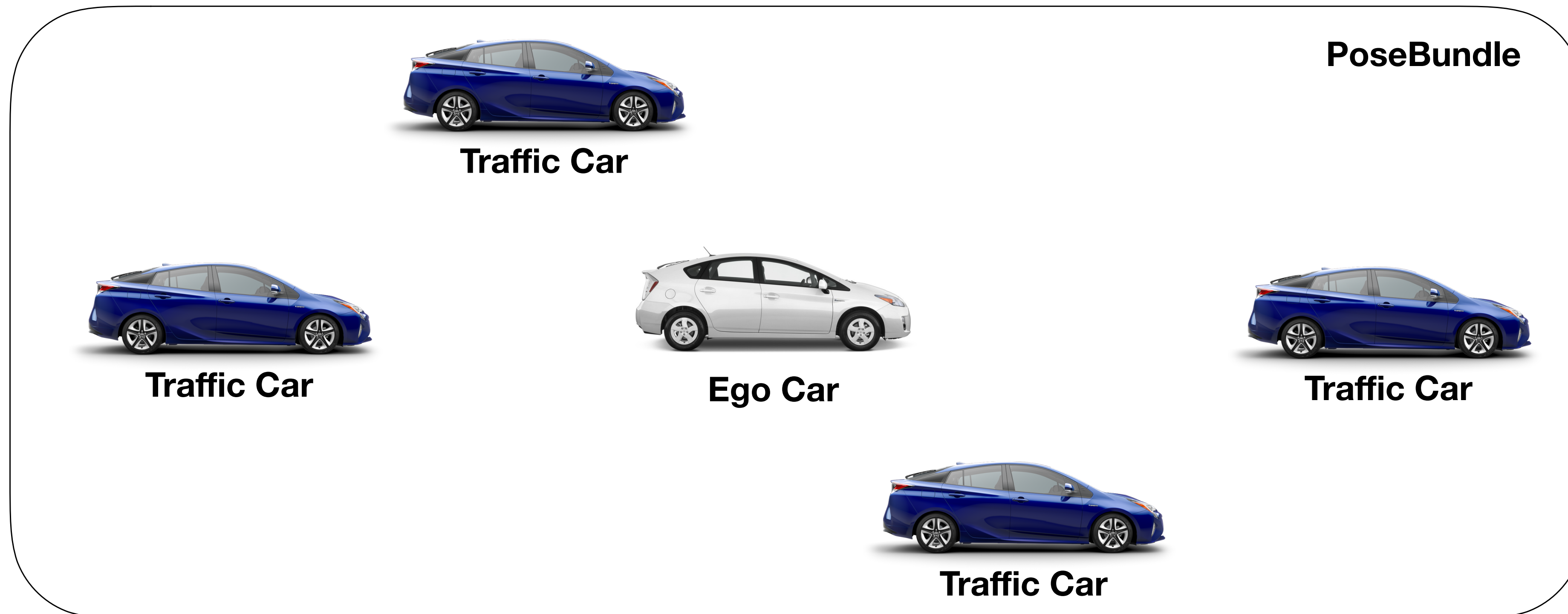


**Ego Car**

# IdmController

## Input

1. PoseVector(7D) for the ego car
2. FrameVelocity (6D) of the ego car
3. PoseBundle for the traffic cars

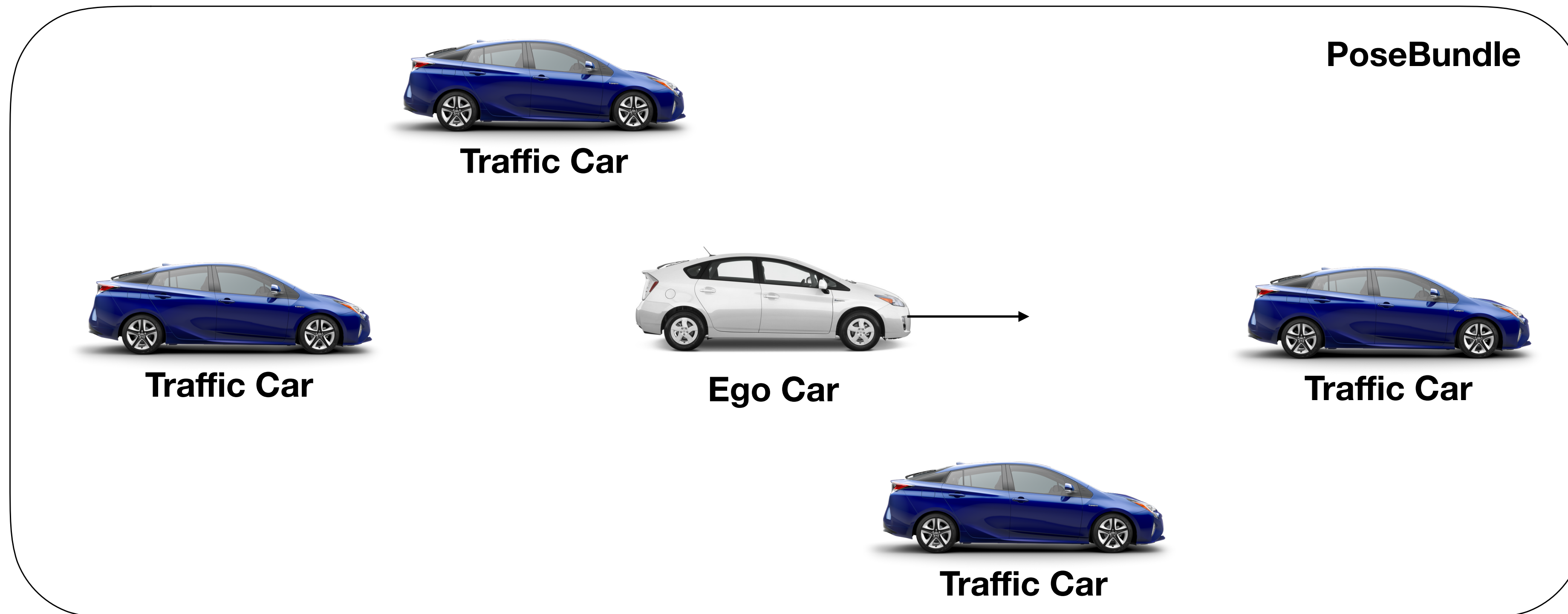




# IdmController

## Output

1. Acceleration of the ego car



# IdmController

```
template <typename T>
void IdmController<T>::ImplCalcAcceleration(
    const PoseVector<T>& ego_pose, const FrameVelocity<T>& ego_velocity,
    const PoseBundle<T>& traffic_poses,
    const IdmPlannerParameters<T>& idm_params,
    const RoadPosition& ego_rp,
    systems::BasicVector<T>* command) const {
    RoadPosition ego_position = ego_rp;
    if (!ego_rp.lane) {
        const auto gp =
            GeoPositionT<T>::FromXyz(ego_pose.get_isometry().translation());
        ego_position =
            road_.ToRoadPosition(gp.MakeDouble(), nullptr, nullptr, nullptr);
    }
```

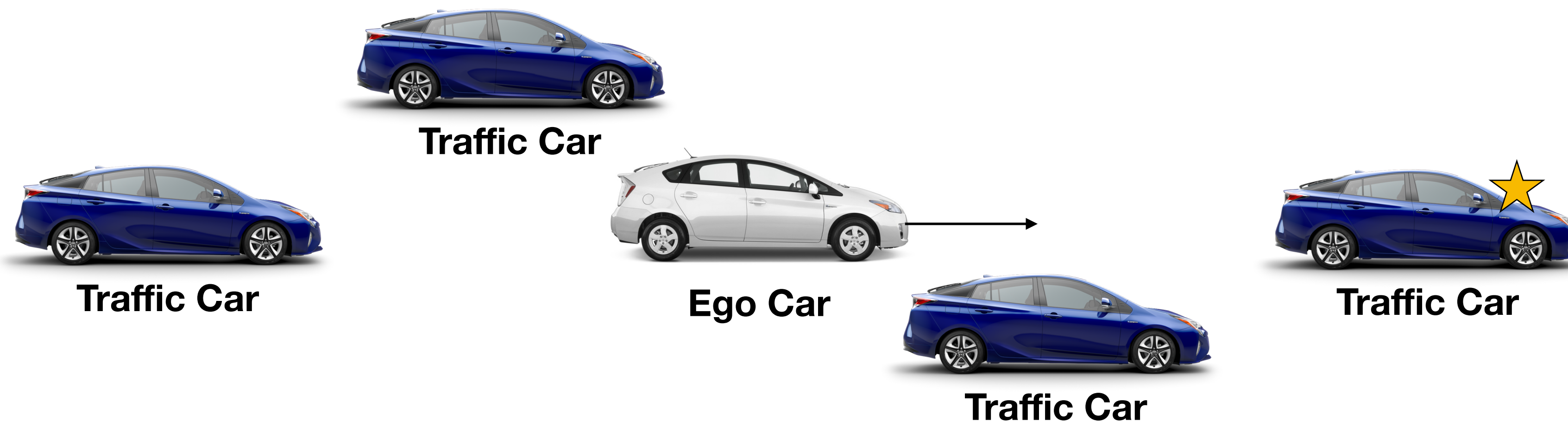
```
// Find the single closest car ahead.
const ClosestPose<T> lead_car_pose = PoseSelector<T>::FindSingleClosestPose(
    ego_position.lane, ego_pose, traffic_poses,
    idm_params.scan_ahead_distance(), AheadOrBehind::kAhead,
    path_or_branches_);
```

```
const T headway_distance = lead_car_pose.distance;
const LanePositionT<T> lane_position(T(ego_position.pos.s()),
                                     T(ego_position.pos.r()),
                                     T(ego_position.pos.h()));

const T s_dot_ego = PoseSelector<T>::GetSigmaVelocity(
    {ego_position.lane, lane_position, ego_velocity});
const T s_dot_lead =
    (abs(lead_car_pose.odometry.pos.s()) ==
     std::numeric_limits<T>::infinity())
    ? T(0.)
    : PoseSelector<T>::GetSigmaVelocity(lead_car_pose.odometry);

// Saturate the net_distance at `idm_params.distance_lower_limit()` away from
// the ego car to avoid near-singular solutions inherent to the IDM equation.
const T actual_headway = headway_distance - idm_params.bloat_diameter();
const T net_distance = max(actual_headway, idm_params.distance_lower_limit());
const T closing_velocity = s_dot_ego - s_dot_lead;

// Compute the acceleration command from the IDM equation.
(*command)[0] = IdmPlanner<T>::Evaluate(idm_params, s_dot_ego, net_distance,
                                         closing_velocity);
}
```





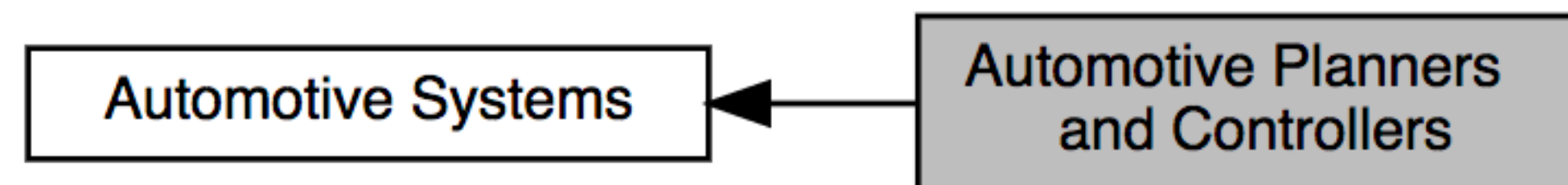
# Automotive Planners and Controllers

Classes

## Automotive Planners and Controllers

Modeling Dynamical Systems » Automotive Systems

Collaboration diagram for Automotive Planners and Controllers:



## Classes

class **IdmController< T >**

**IdmController** implements the IDM (Intelligent Driver Model) planner, computed based only on the nearest car ahead. [More...](#)

class **MobilPlanner< T >**

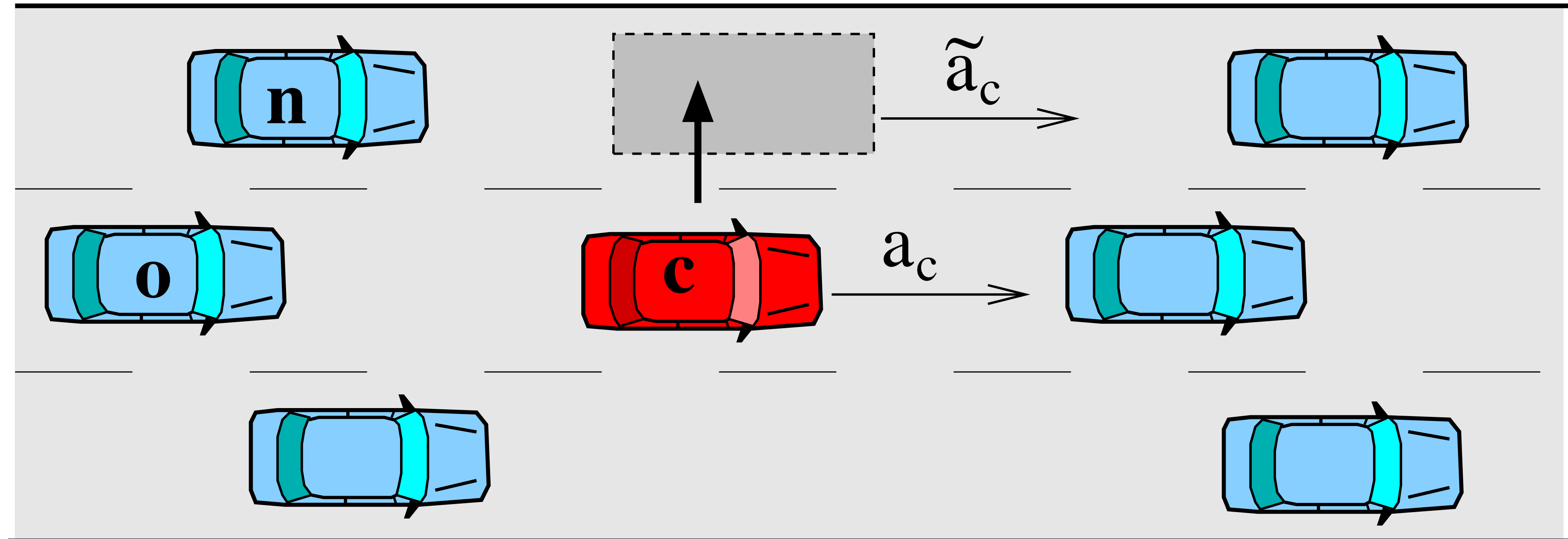
MOBIL (Minimizing Overall Braking Induced by Lane Changes) [1] is a planner that minimizes braking requirement for the ego car while also minimizing (per a weighting factor) the braking requirements of any trailing cars within the ego car's immediate neighborhood. [More...](#)

class **PurePursuitController< T >**

**PurePursuitController** implements a pure pursuit controller. [More...](#)

# Automotive Planners and Controllers

## MOBIL (Minimizing Overall Braking Induced by Lane Changes)



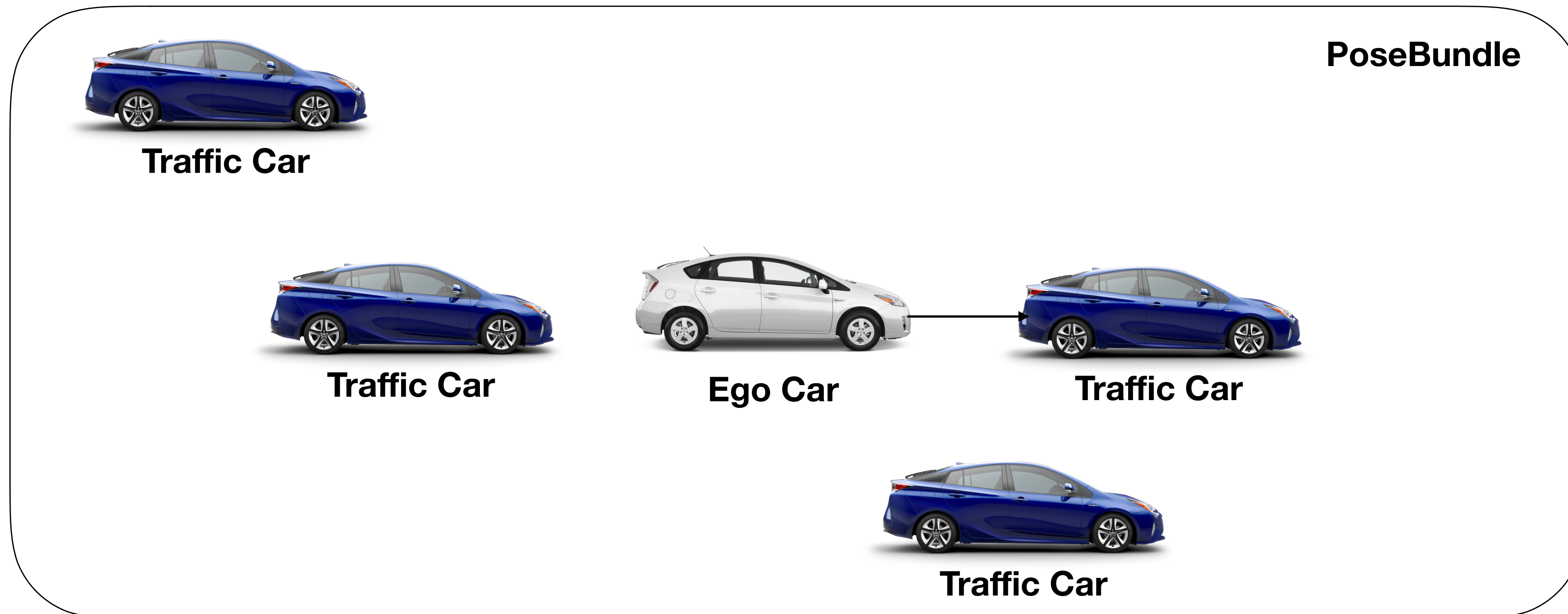
### Minimizing Braking Requirement:

- for the Ego Car
- of Any Trailing Cars within the Ego Car's Neighborhood

# MobilPlanner

## Input

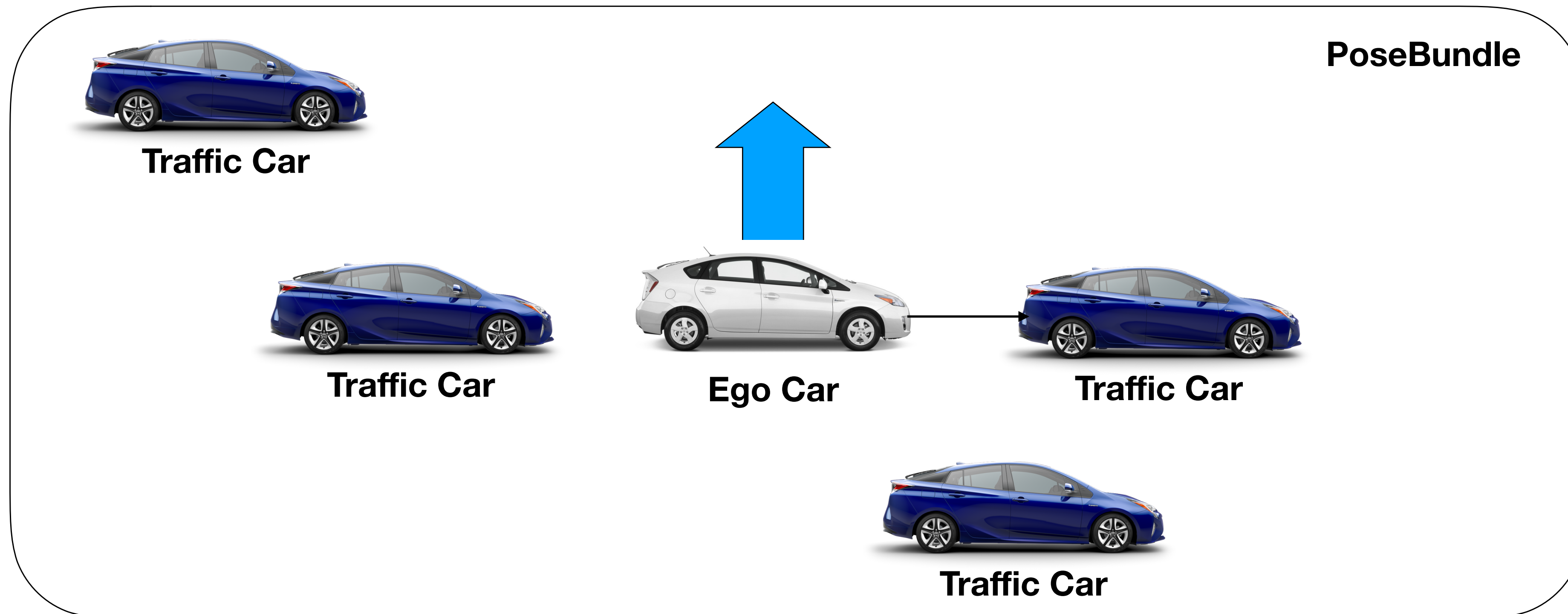
1. PoseVector for the Ego Car
2. FrameVelocity for the Ego Car
3. Ego Car's Commanded Acceleration
4. PoseBundle for the traffic cars



# MobilPlanner

Output

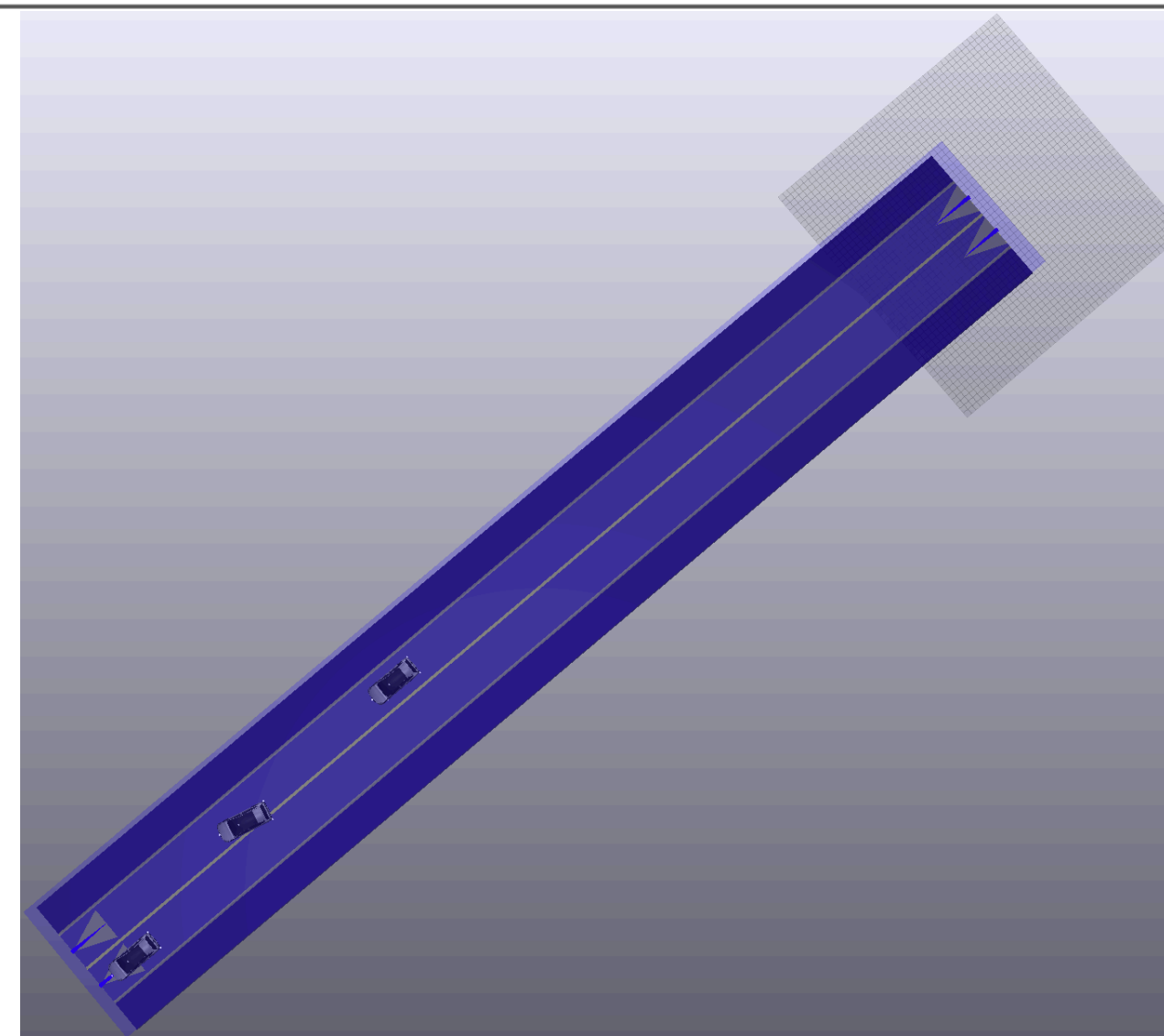
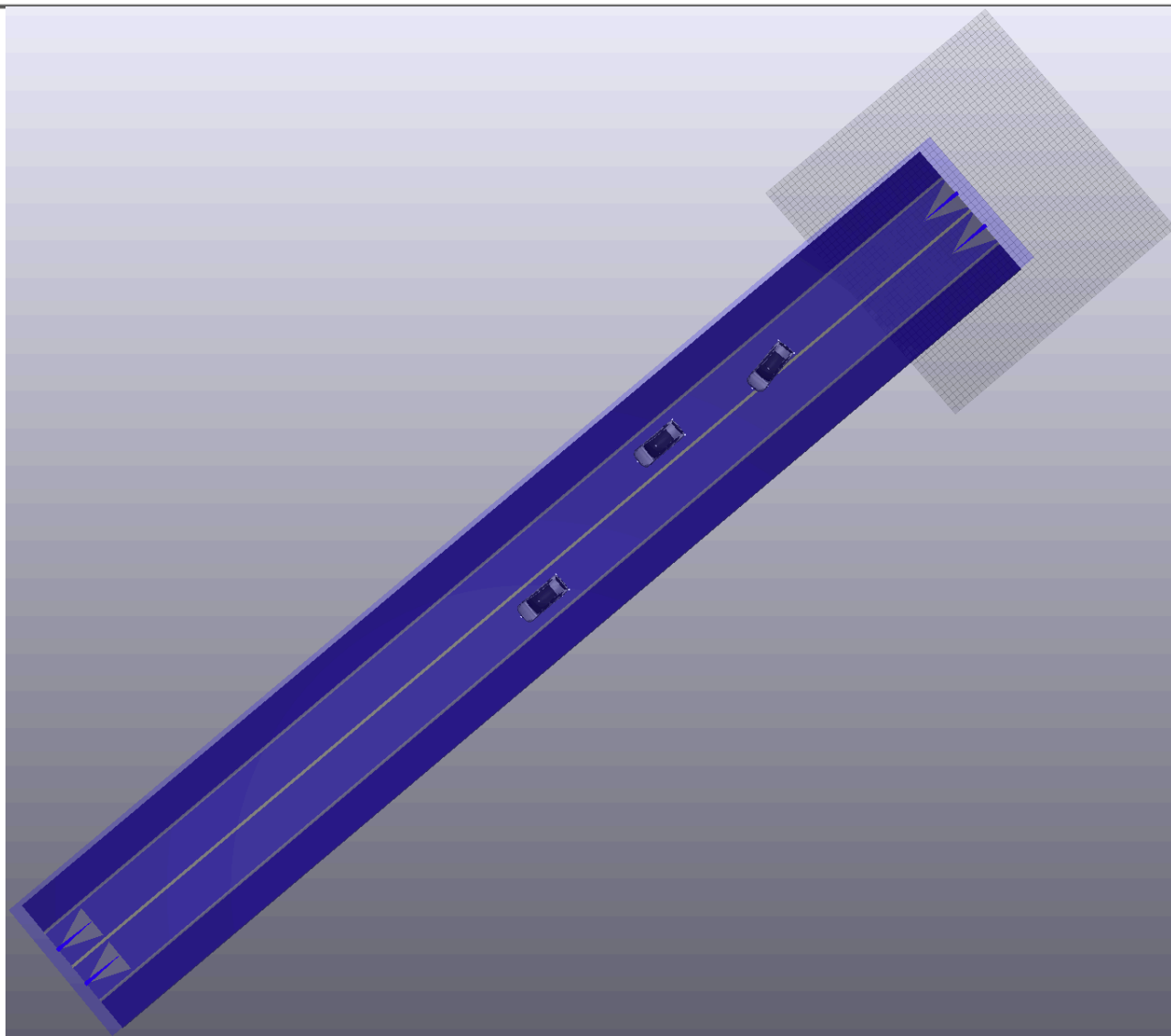
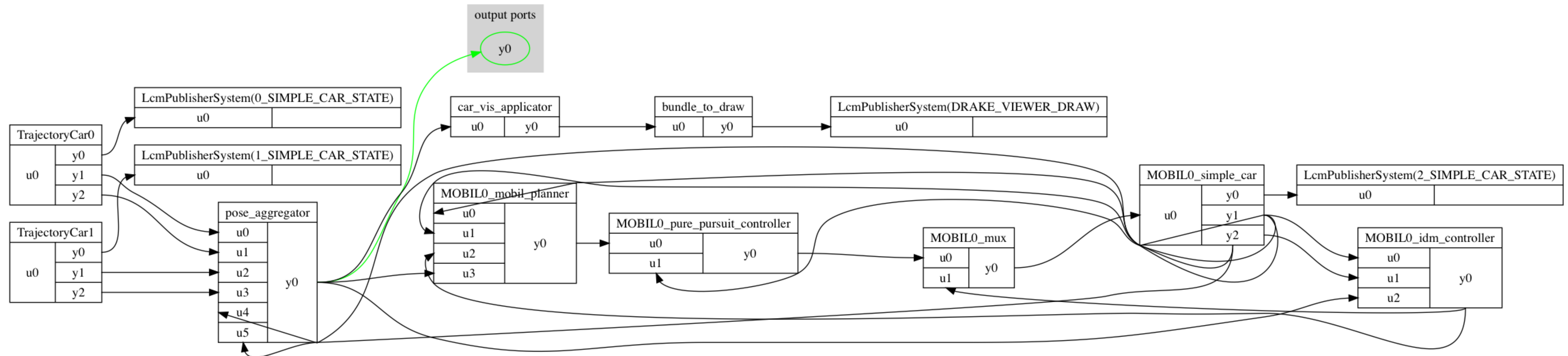
1. LaneDirection





# Automotive Demo

AutomotiveSimulator



# Q: Sensors?

```
template <typename T>
void IdmController<T>::ImplCalcAcceleration(
    const PoseVector<T>& ego_pose, const FrameVelocity<T>& ego_velocity,
    const PoseBundle<T>& traffic_poses,
    const IdmPlannerParameters<T>& idm_params,
    const RoadPosition& ego_rp,
    systems::BasicVector<T>* command) const {
    RoadPosition ego_position = ego_rp;
    if (!ego_rp.lane) {
        const auto gp =
            GeoPositionT<T>::FromXyz(ego_pose.get_isometry().translation());
        ego_position =
            road_.ToRoadPosition(gp.MakeDouble(), nullptr, nullptr, nullptr);
    }
```

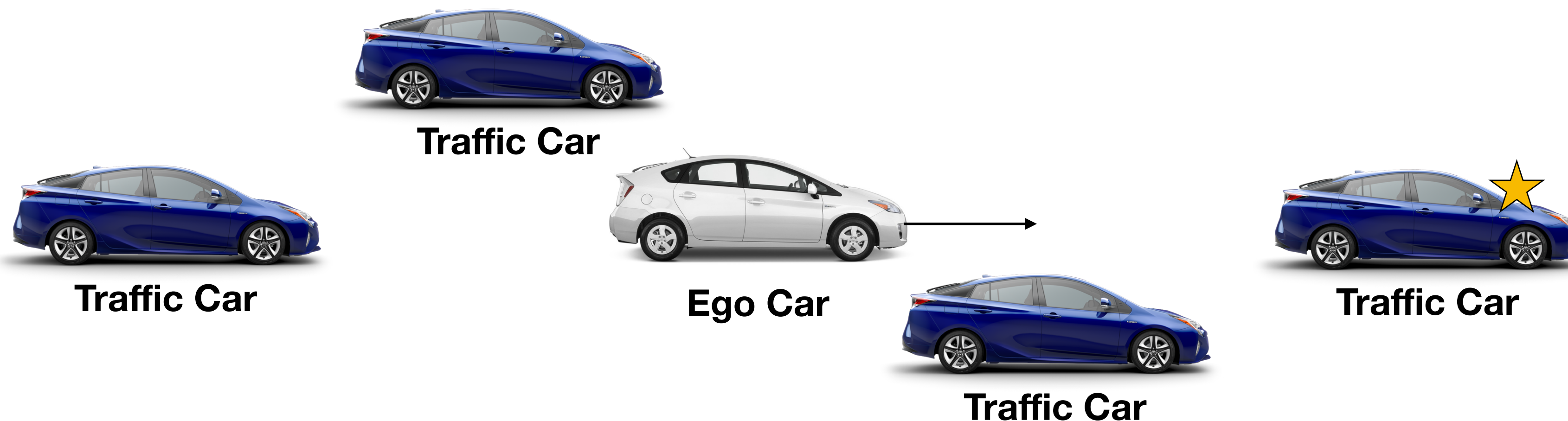
```
// Find the single closest car ahead.
const ClosestPose<T> lead_car_pose = PoseSelector<T>::FindSingleClosestPose(
    ego_position.lane, ego_pose, traffic_poses,
    idm_params.scan_ahead_distance(), AheadOrBehind::kAhead,
    path_or_branches_);
```

```
const T headway_distance = lead_car_pose.distance;
const LanePositionT<T> lane_position(T(ego_position.pos.s()),
                                     T(ego_position.pos.r()),
                                     T(ego_position.pos.h()));

const T s_dot_ego = PoseSelector<T>::GetSigmaVelocity(
    {ego_position.lane, lane_position, ego_velocity});
const T s_dot_lead =
    (abs(lead_car_pose.odometry.pos.s()) ==
     std::numeric_limits<T>::infinity())
    ? T(0.)
    : PoseSelector<T>::GetSigmaVelocity(lead_car_pose.odometry);

// Saturate the net_distance at `idm_params.distance_lower_limit()` away from
// the ego car to avoid near-singular solutions inherent to the IDM equation.
const T actual_headway = headway_distance - idm_params.bloat_diameter();
const T net_distance = max(actual_headway, idm_params.distance_lower_limit());
const T closing_velocity = s_dot_ego - s_dot_lead;

// Compute the acceleration command from the IDM equation.
(*command)[0] = IdmPlanner<T>::Evaluate(idm_params, s_dot_ego, net_distance,
                                         closing_velocity);
}
```





# Q: Python Bindings?

Currently, we expose a subset of C++ APIs:

- SimpleCar
- IdmController
- PurePursuitController
- DrivingCommand
- ...

[https://github.com/RobotLocomotion/drake/blob/master/bindings/pydrake/automotive\\_py.cc](https://github.com/RobotLocomotion/drake/blob/master/bindings/pydrake/automotive_py.cc)

# More Questions?

**The following people at TRI helped me make this presentation. Thank you all!**

- **Alejandro Castro**
- **Jonathan Decastro**
- **Evan Drumwright**
- **Liang Fok**
- **Naveen Kuppuswamy**
- **Michael Sherman**
- **Prof. Russ Tedrake**

# Some Tips

## Find a bug? Have a feature-request?

-> File an issue at <https://github.com/RobotLocomotion/drake/issues/new>

## Questions?

-> Ask a question at <https://stackoverflow.com/questions/ask> with ***drake*** tag.